



# Where do Monsters Grow?

arXiv: 1704.06658

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# Our Group



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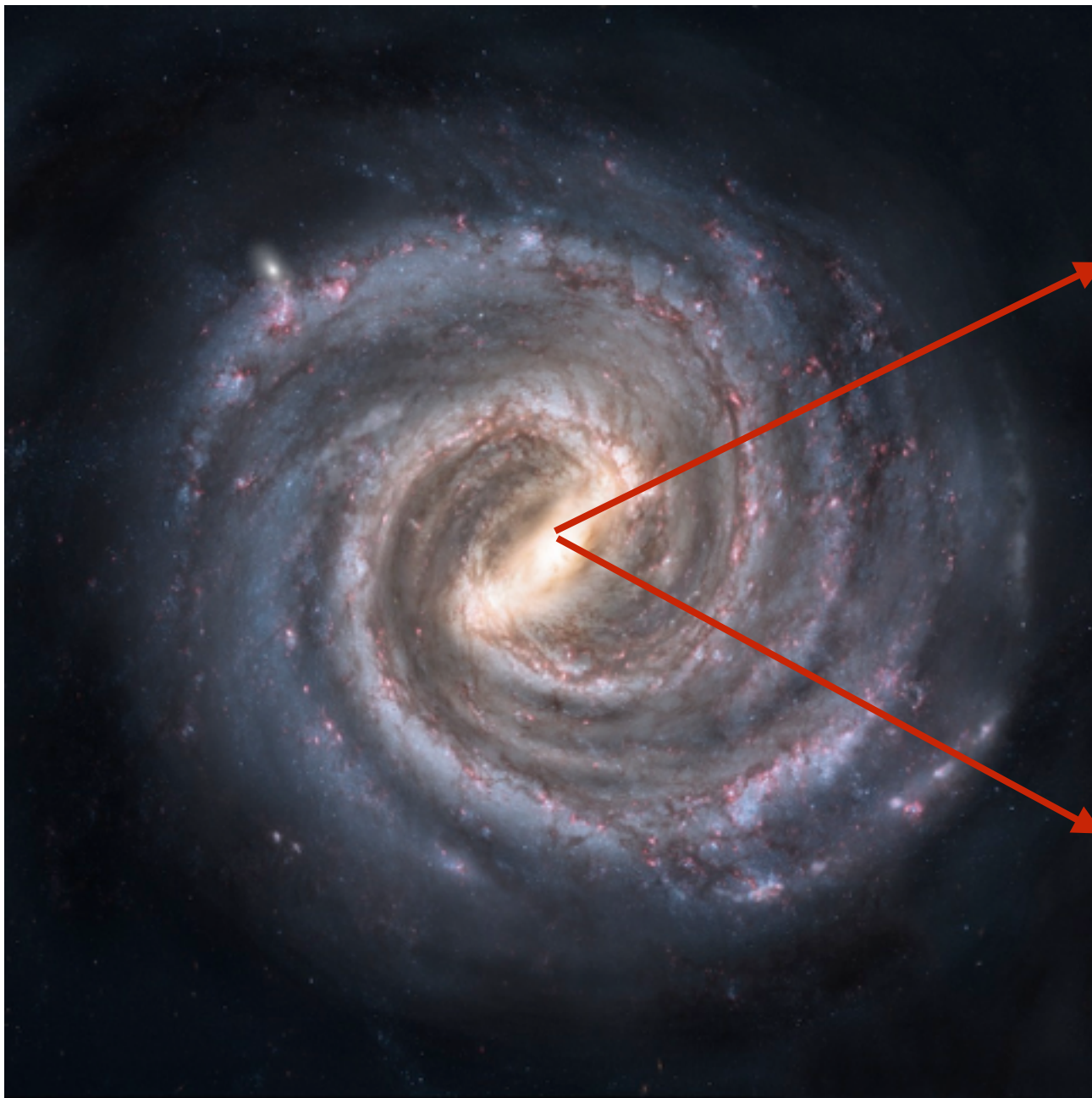
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# Black holes (monsters) are common in galactic centers



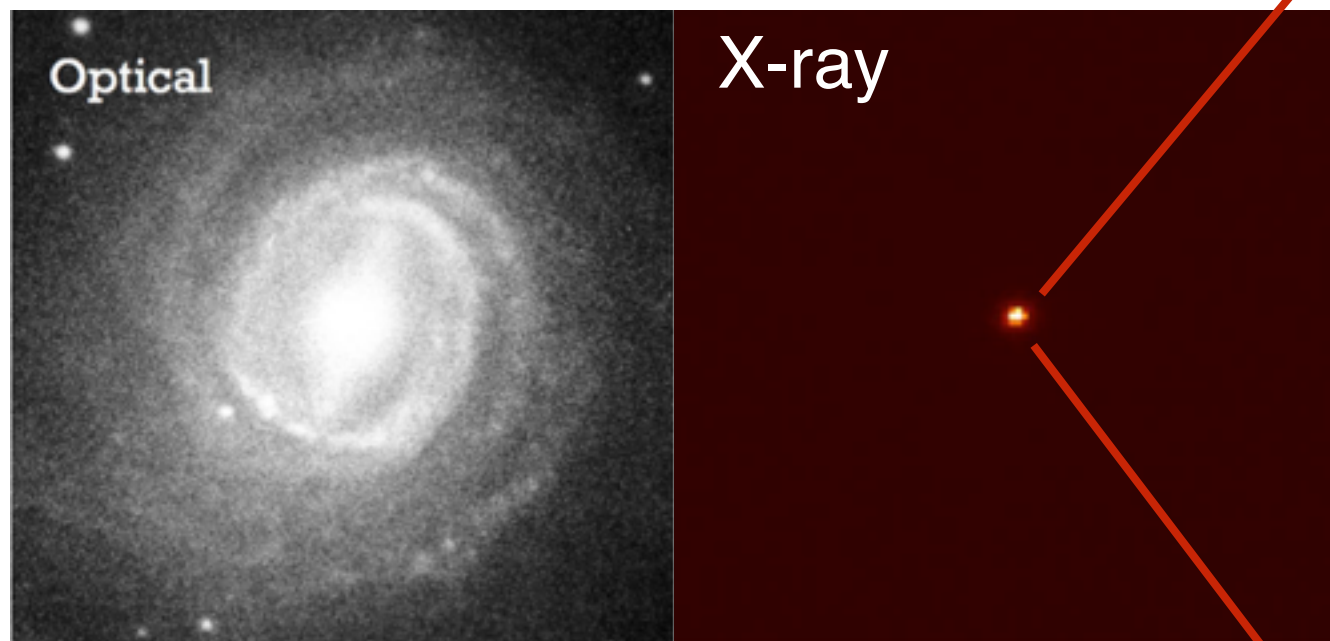
Credit: Interstellar movie

Credit: Wikipedia



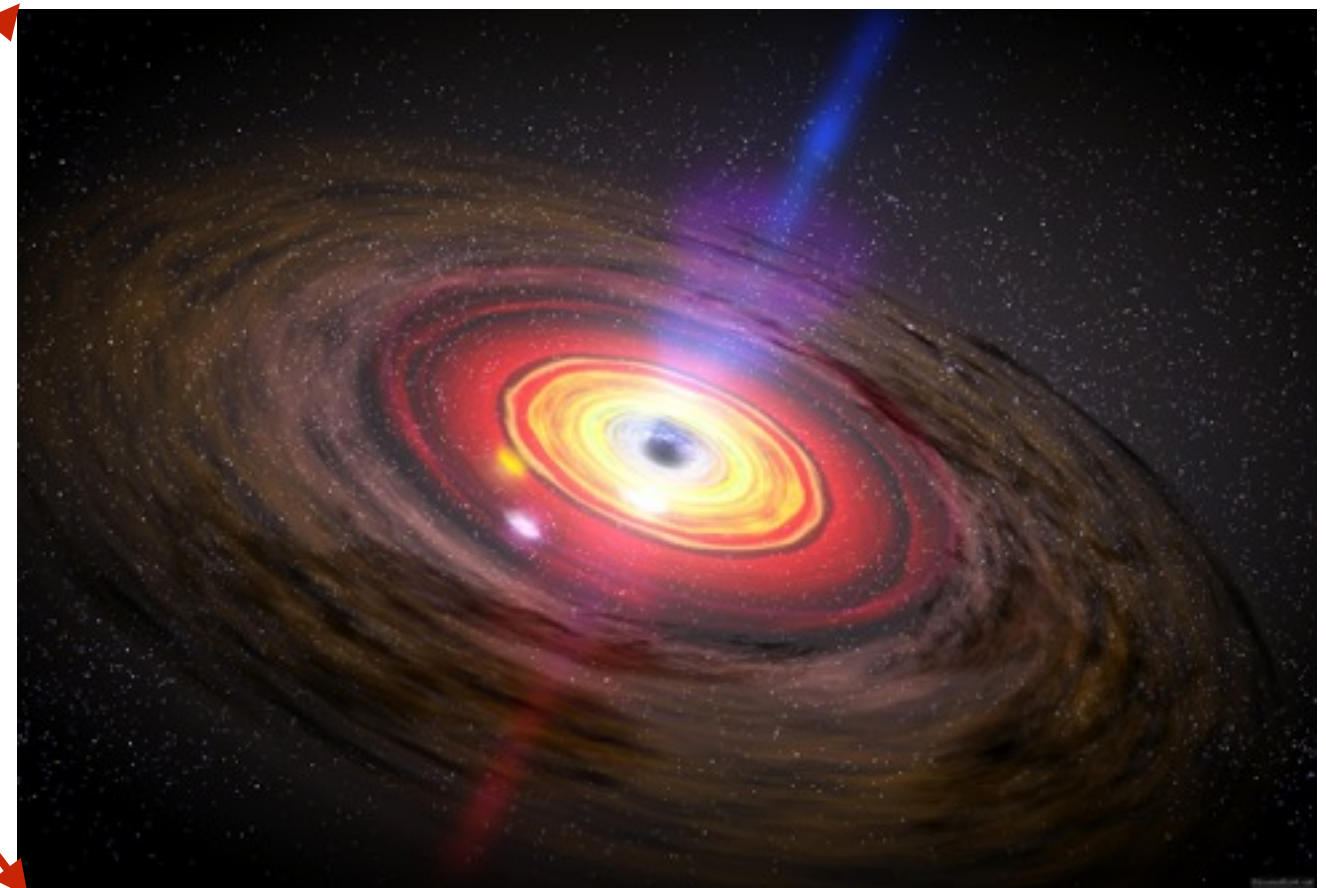
# Growing black holes— active galactic nuclei (AGNs)

Observation



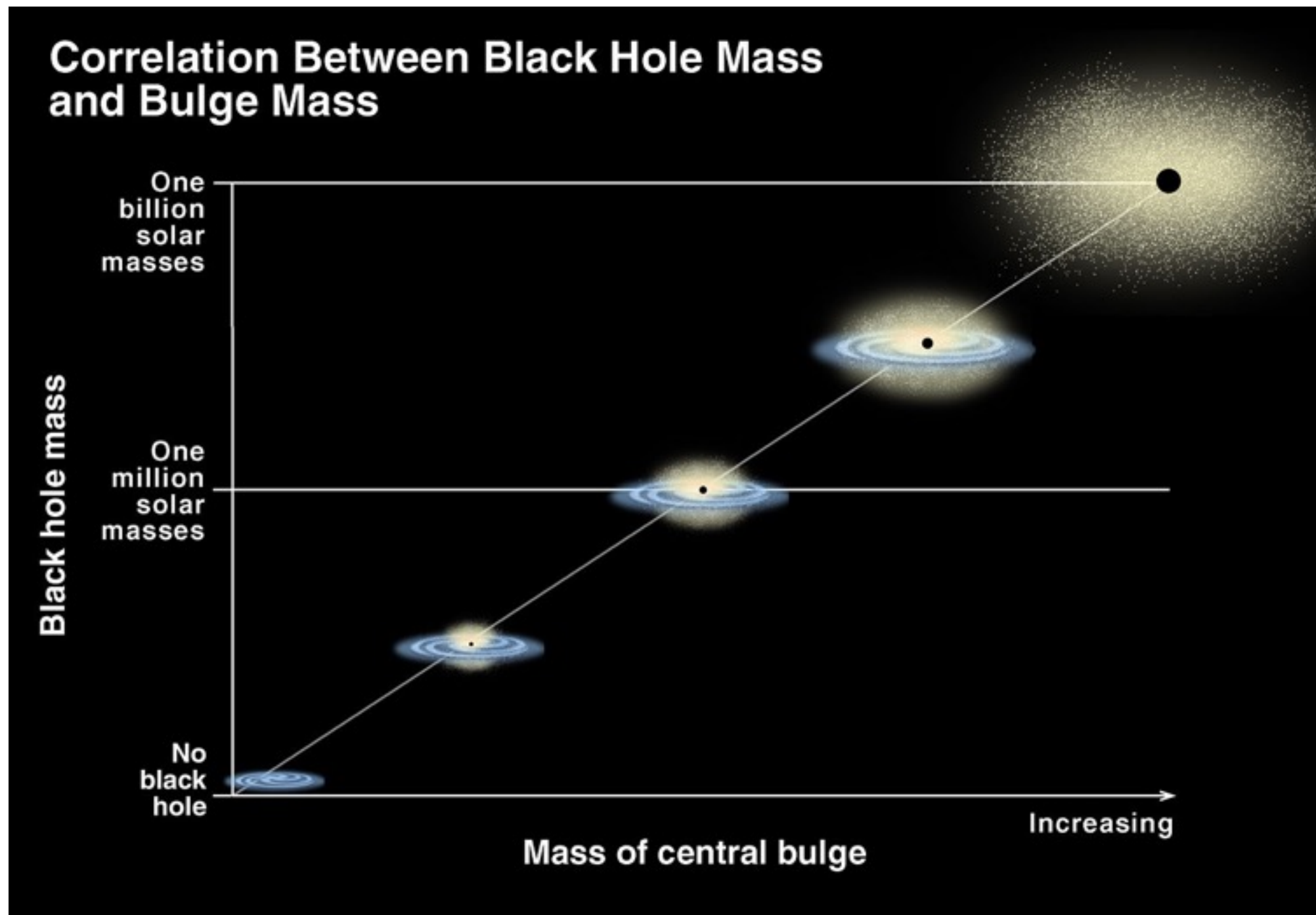
Brandt & Alexander (2015)

Artists' view



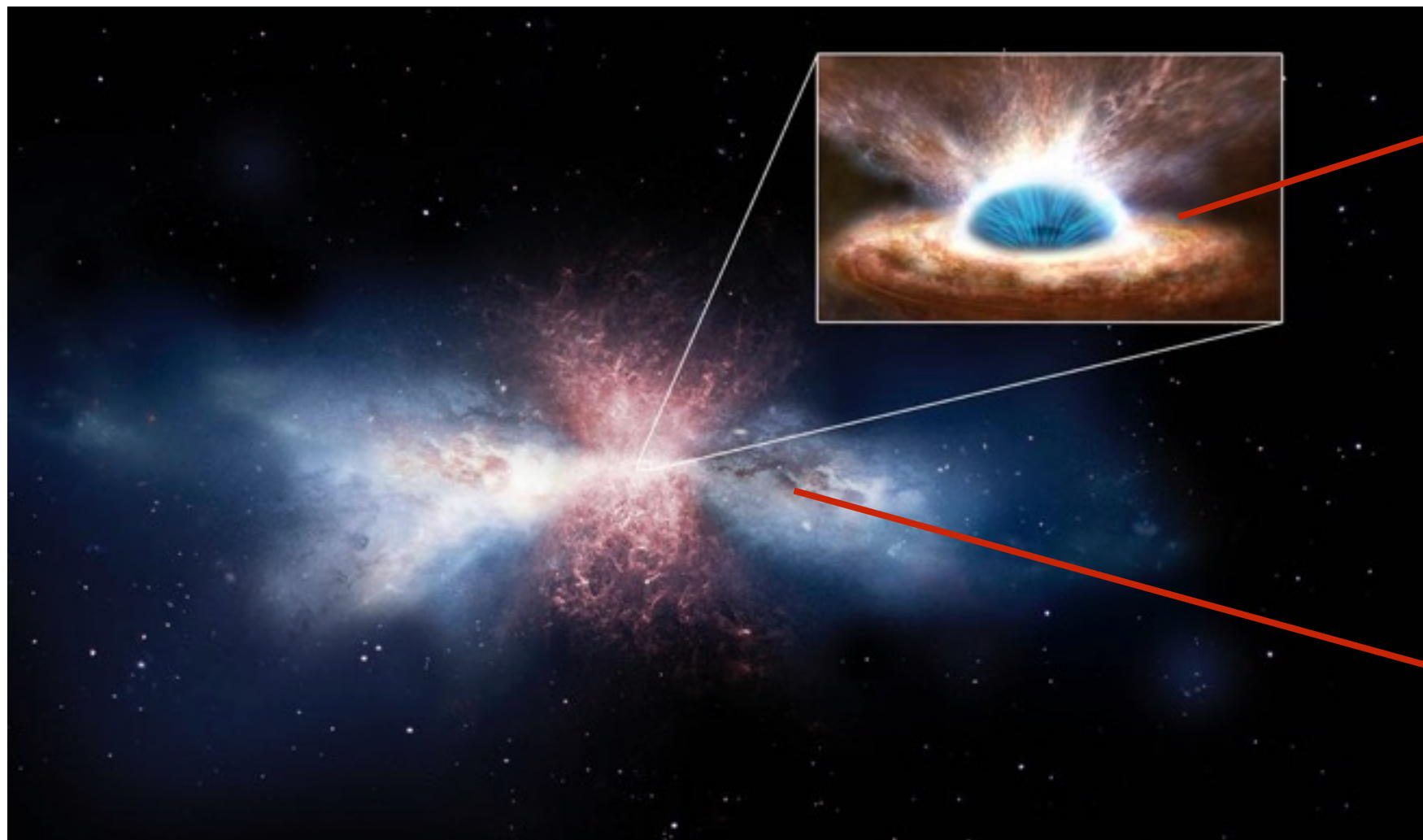
Credit: EducatedEarth.net

# Black-hole mass is related to host galaxy properties in local universe



Credit: K. Cordes, S. Brown (STScI)

# Black hole-galaxy coevolution?

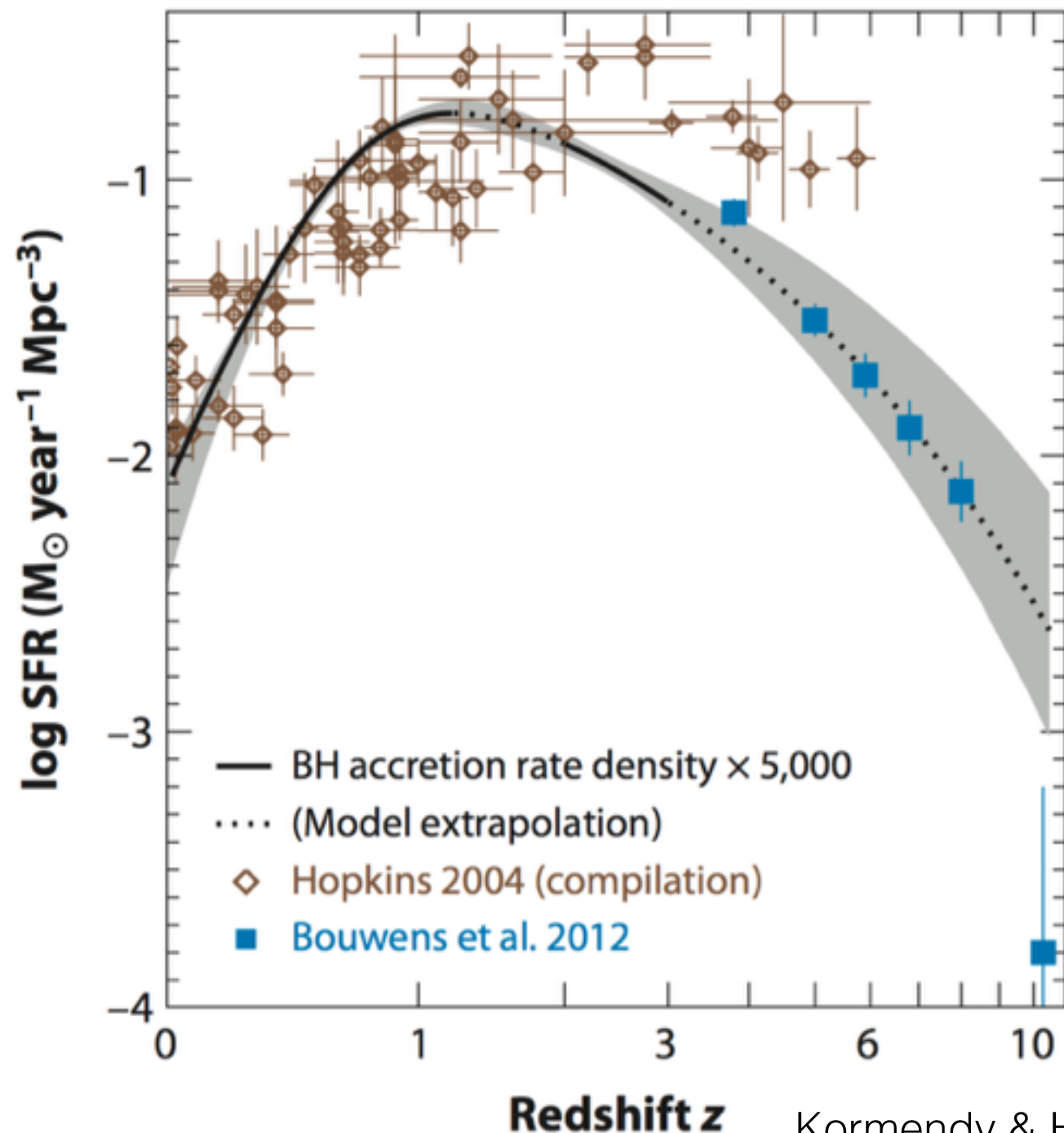


Center:  
black-hole  
accretion

Outer parts:  
star formation

# Black-hole vs galaxy growth

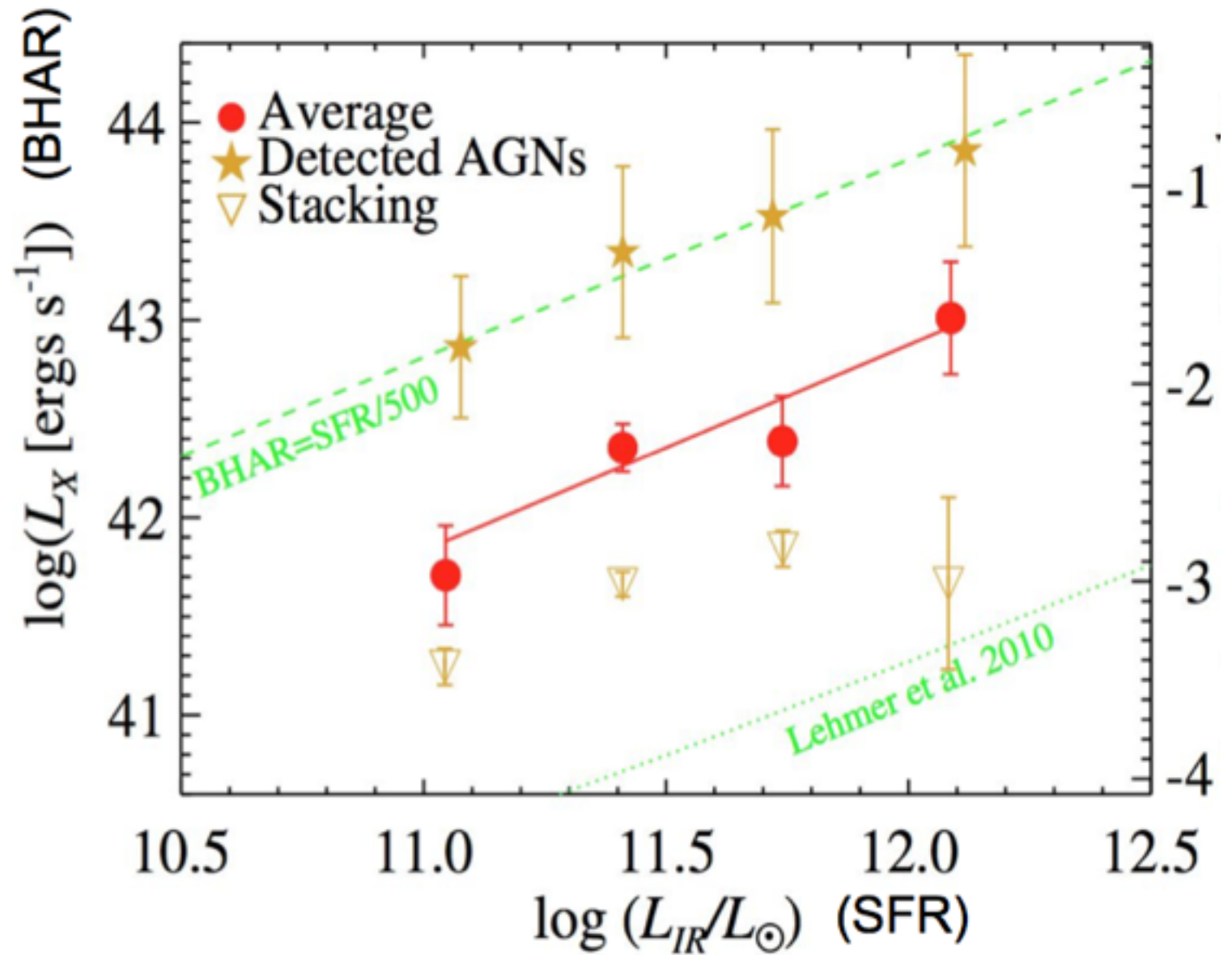
- Total black-hole accretion rate (**BHAR**) and star-formation rate (**SFR**) are **proportional**
- $\text{SFR (total)} \sim 5000 \times \text{BHAR (total)}$





# BHAR-SFR relation: puzzling

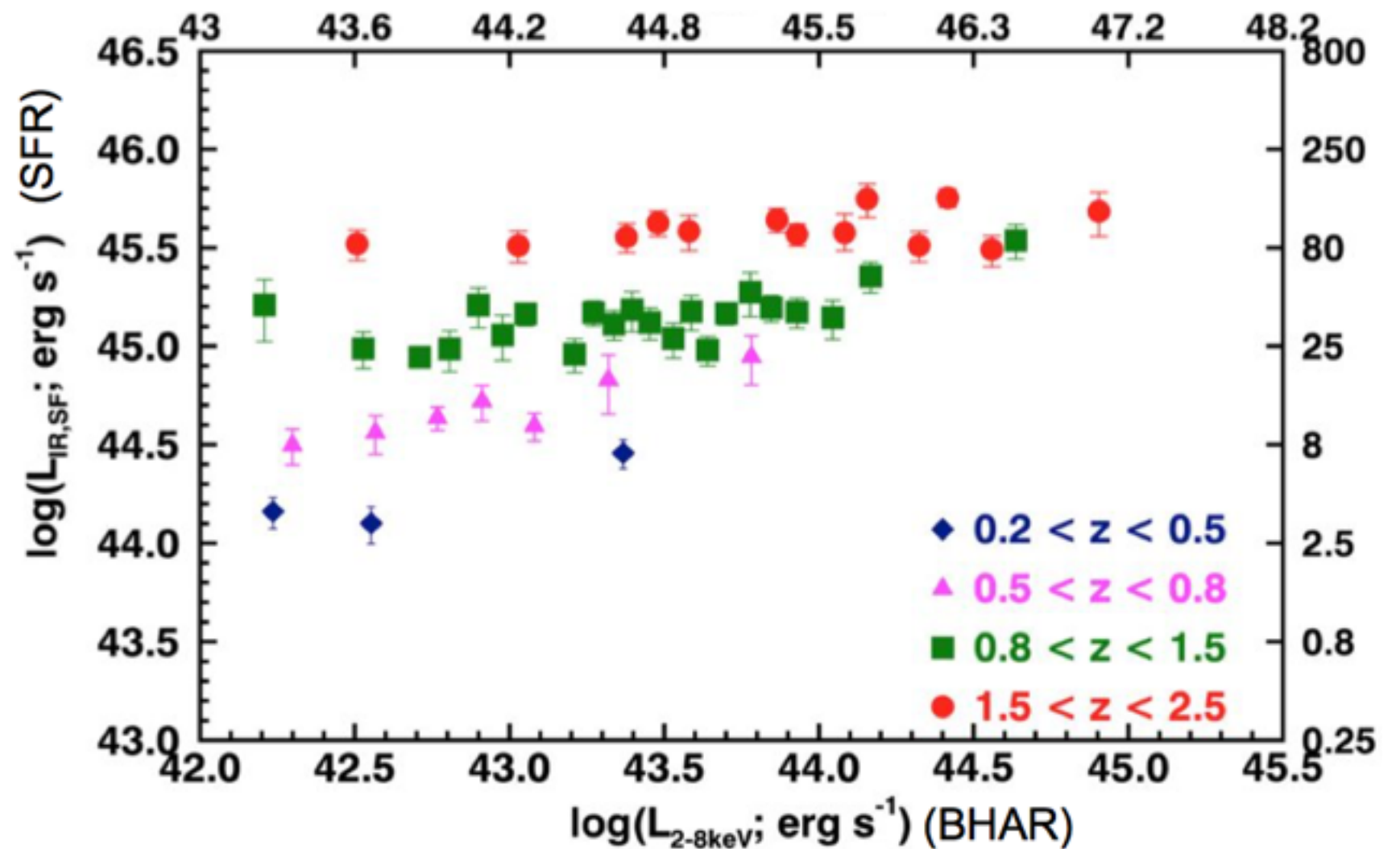
<BHAR>-SFR:  
good linear relation





# BHAR-SFR relation: puzzling

$\langle \text{SFR} \rangle$ -BHAR:  
flat, no correlation

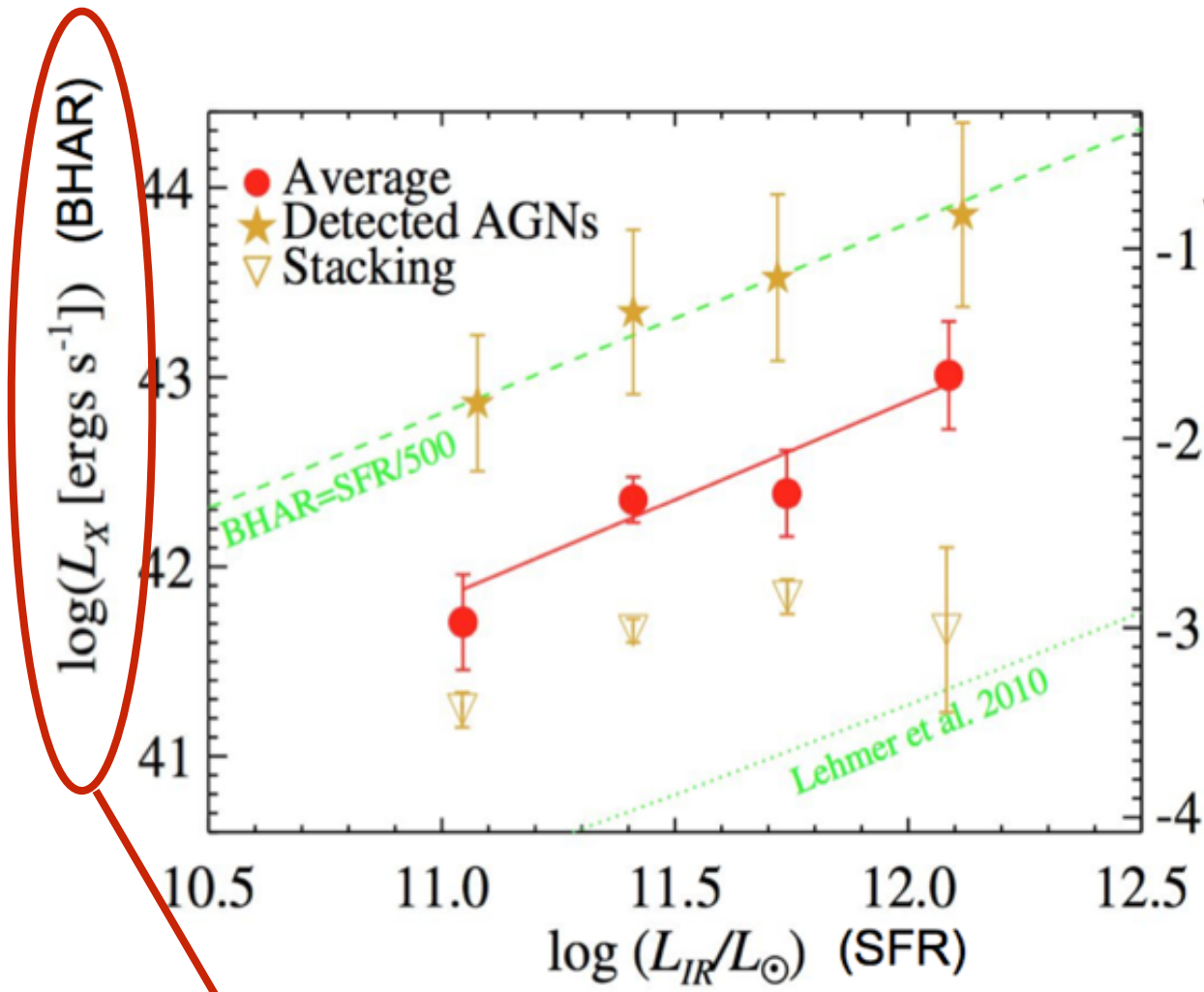


# A model to solve the puzzle

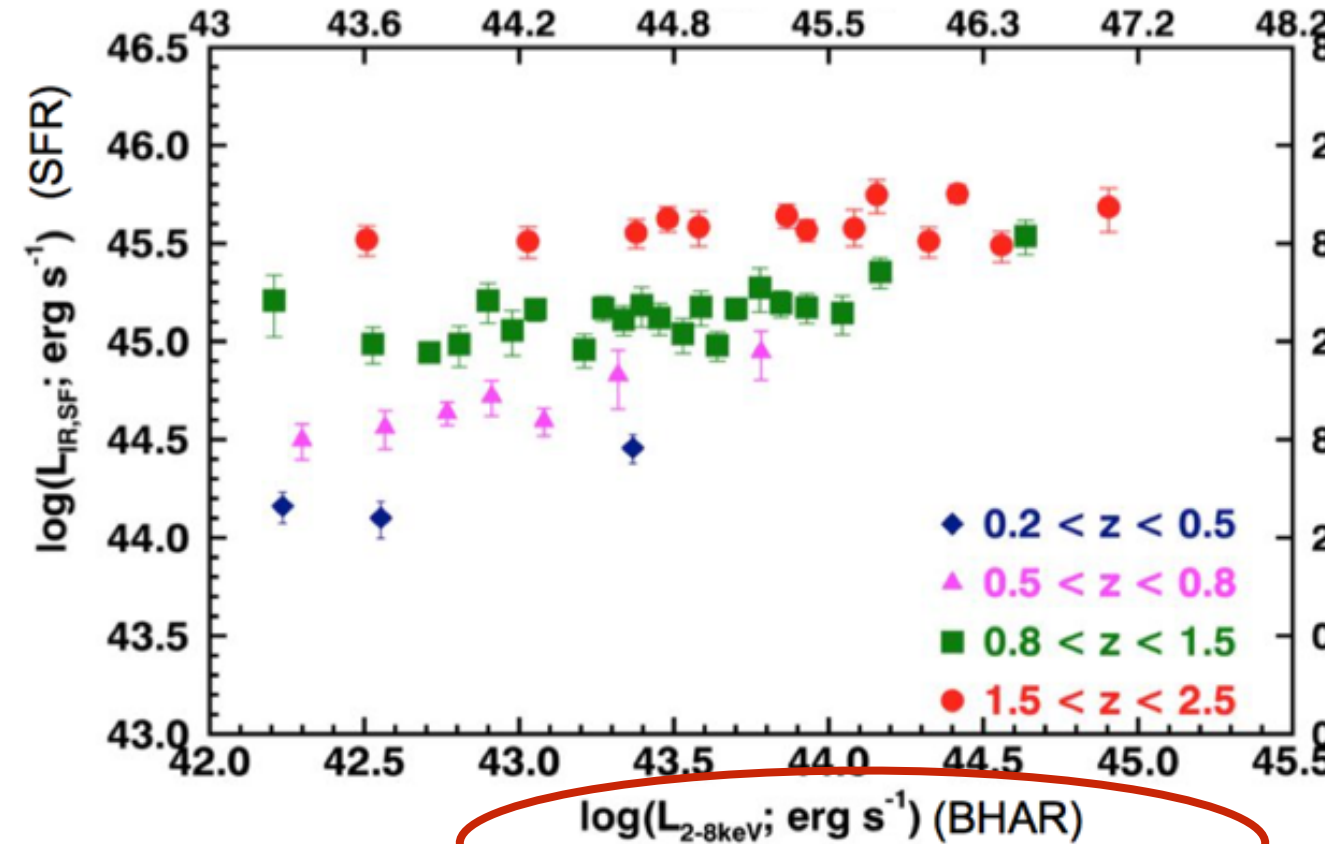
Advanced by Hickox et al. (2014), assumes:

1. Long-term average BHAR  $\propto$  SFR
2. Observed (instantaneous) BHAR variable on  $< 10$  Myr; SFR  $\sim$  constant on  $\gtrsim 100$  Myr.

# View from the model



Long-term average BHAR;  
reveal intrinsic BHAR-SFR relation



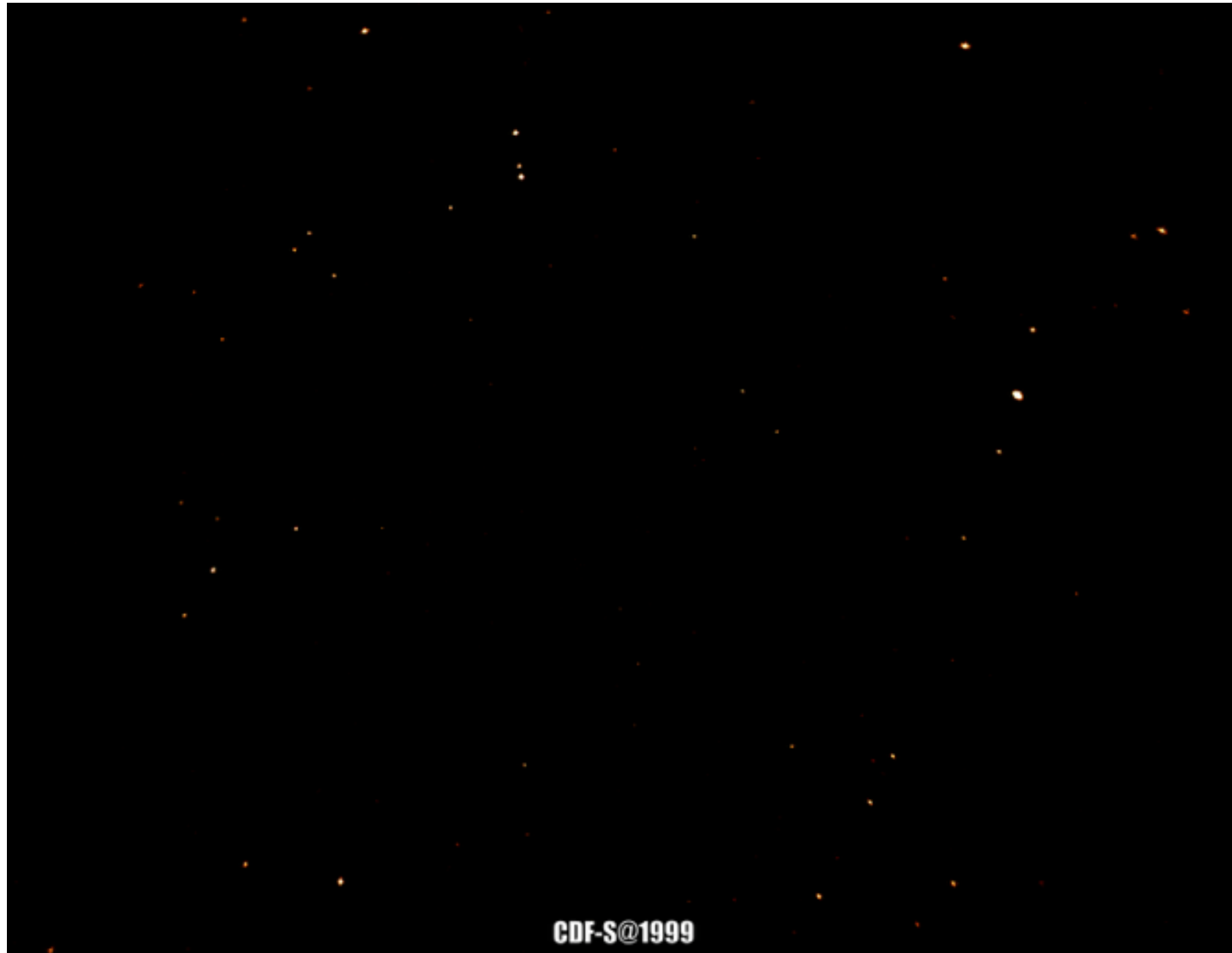
Instantaneous BHAR;  
not very useful



# Model assumptions?

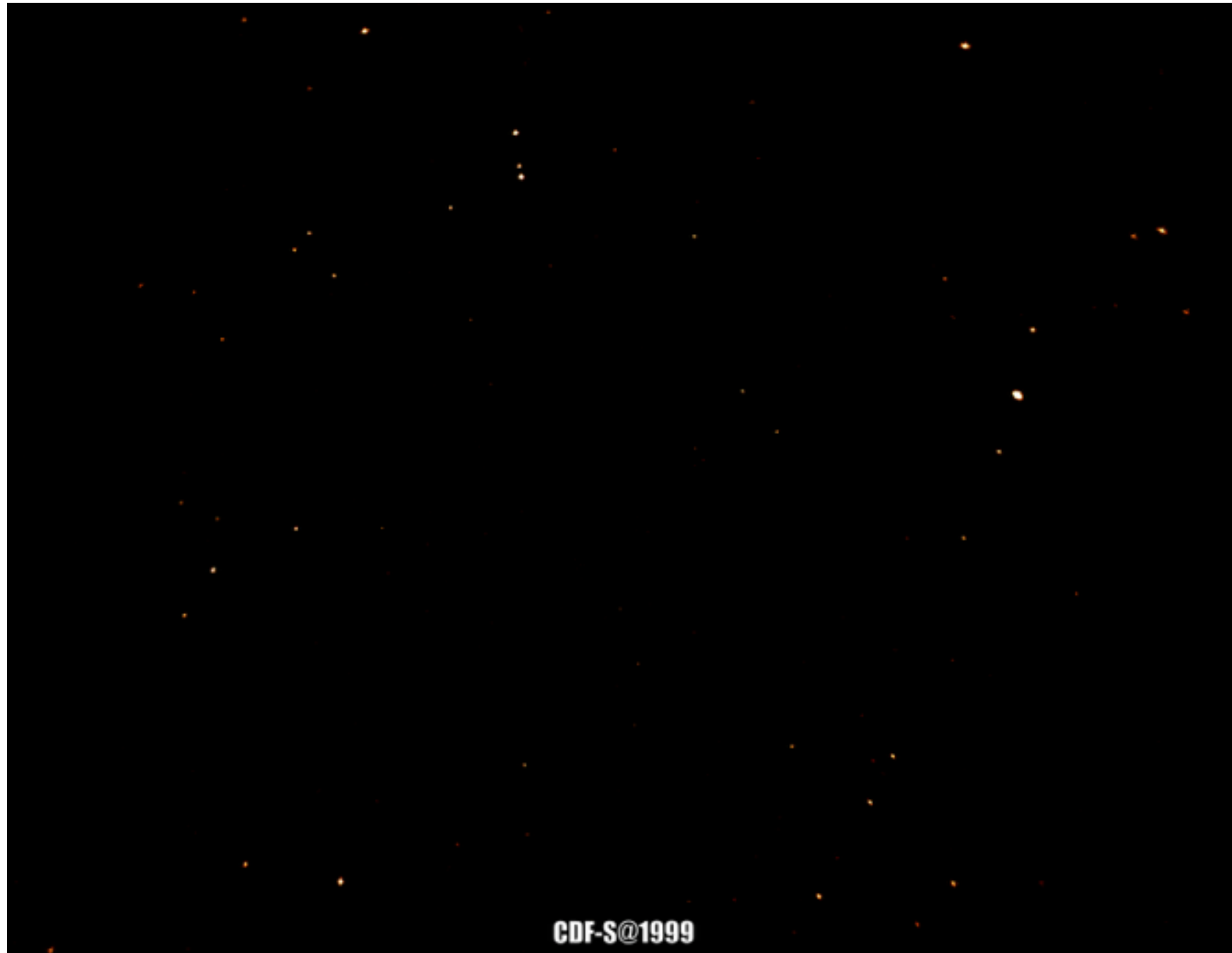
1. Long-term average BHAR  $\propto$  SFR
2. Observed (instantaneous) BHAR  
variable on  $< 10$  Myr; SFR  $\sim$  constant on  
 $\approx 100$  Myr.

# Assumption 2: OK



~15 year AGN  
X-ray variability

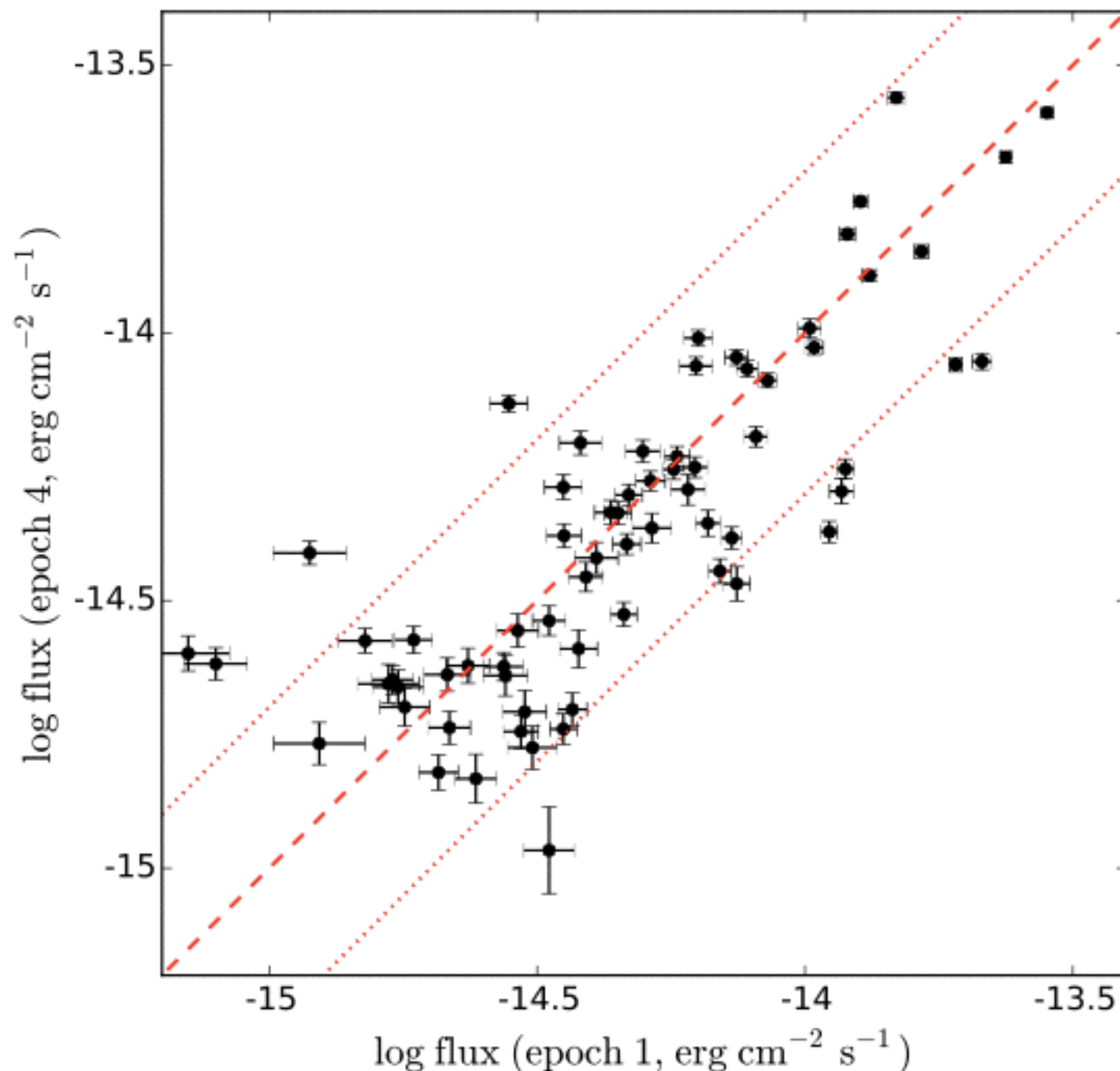
# Assumption 2: OK



~15 year AGN  
X-ray variability

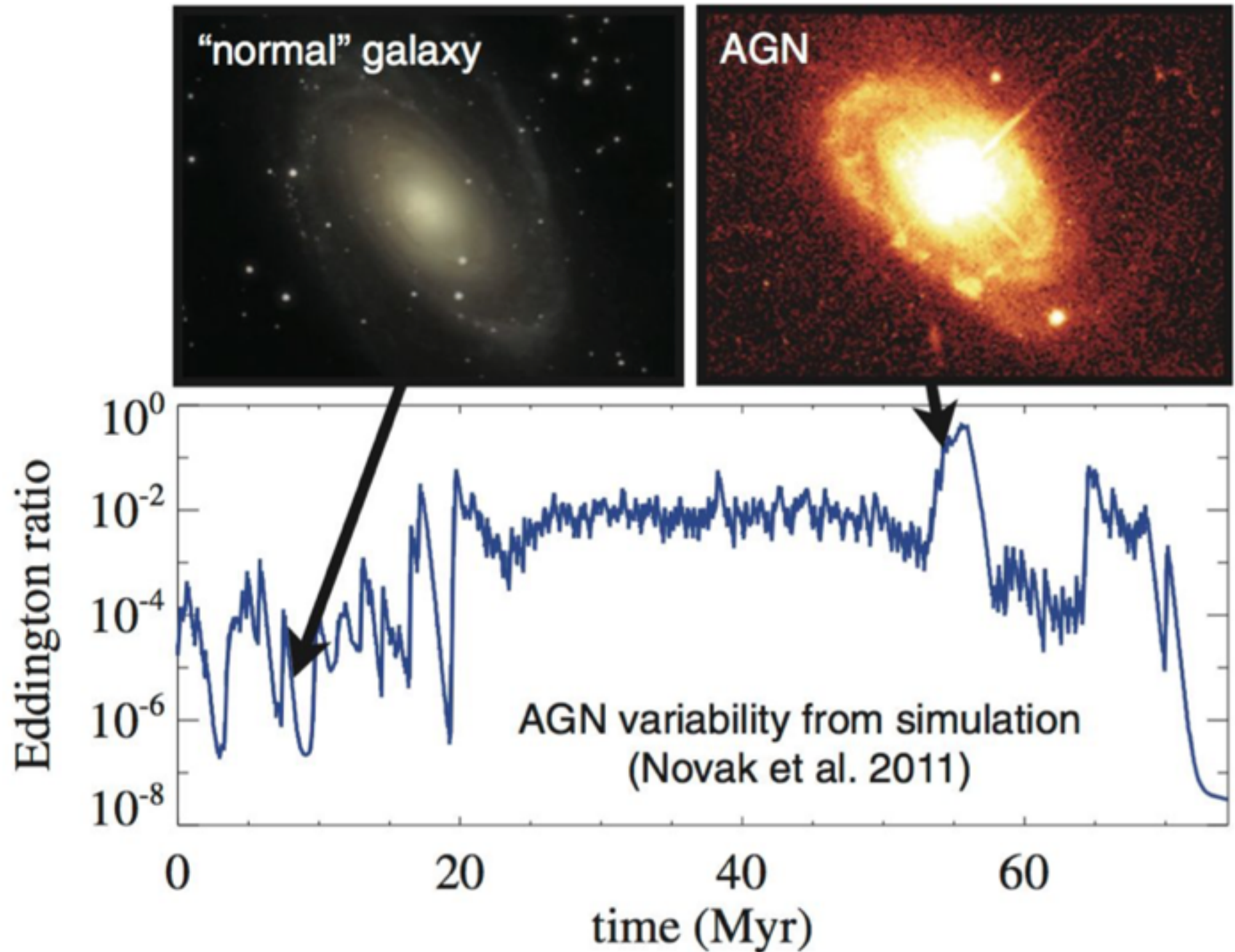


# Assumption 2: OK



- Observed amplitude  $\sim$  factor of 2 ( $\Delta t=15$  yr)
- Longer timescale  $\rightarrow$  larger amplitude

# Assumption 2: OK



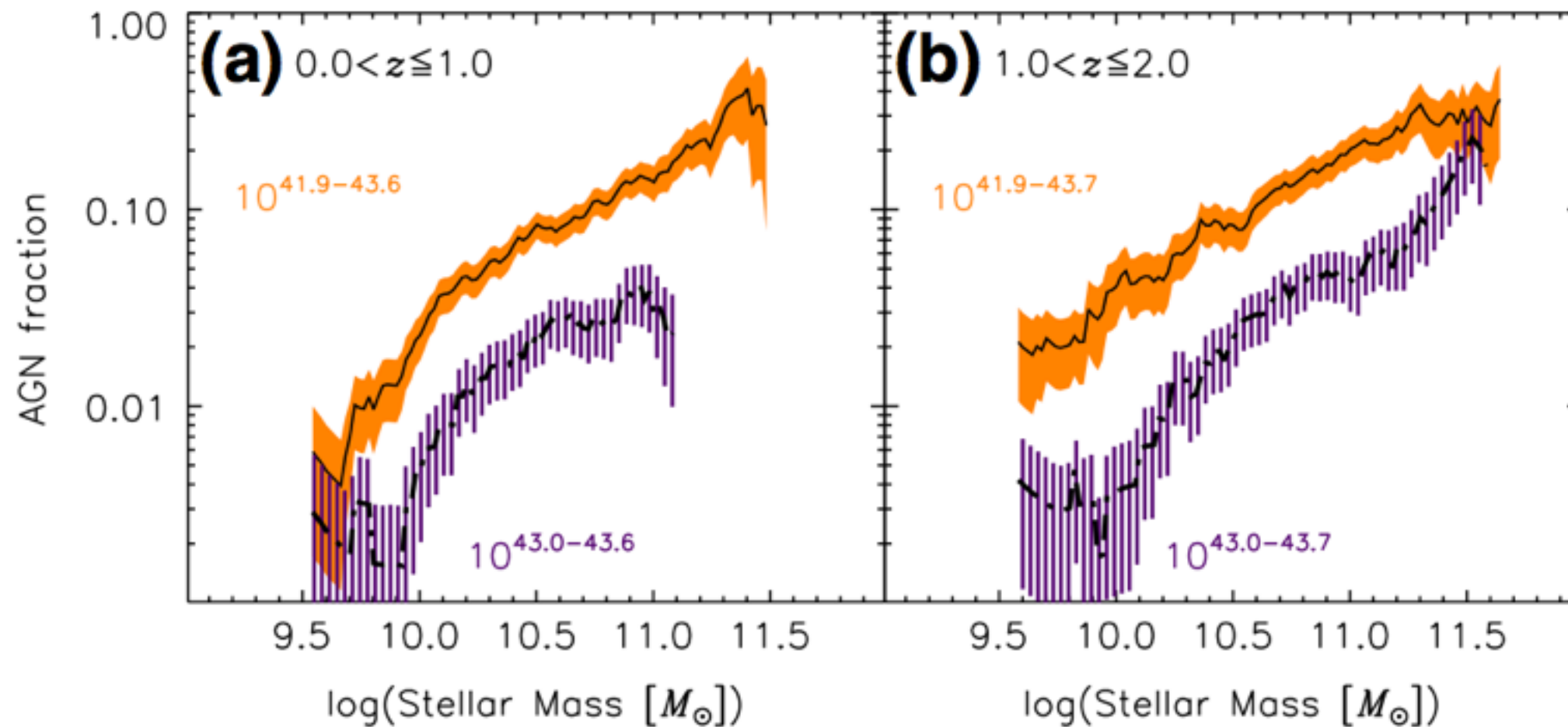
# Model assumptions?

1. Long-term average BHAR  $\propto$  SFR
2. Observed (instantaneous) BHAR  
variable on  $< 10$  Myr; SFR  $\sim$  constant on  
 $\approx 100$  Myr.



# Assumption 1: ??

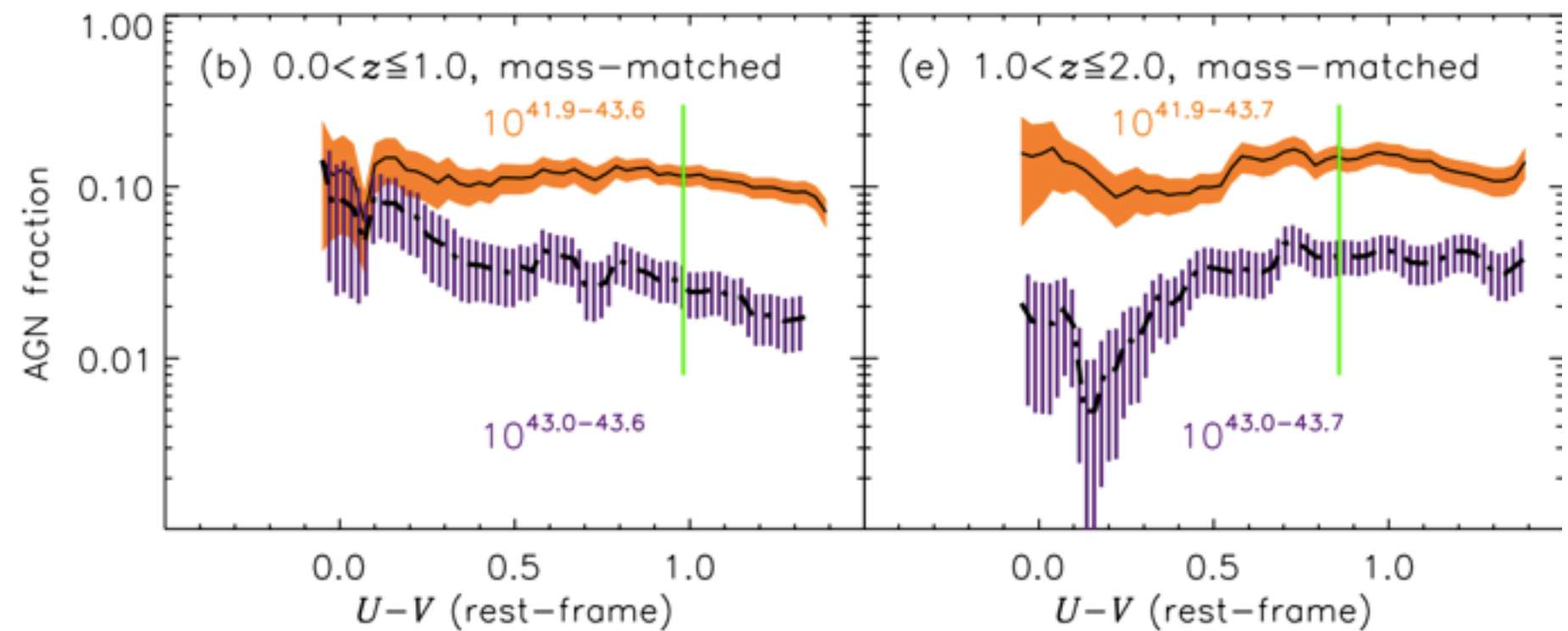
AGN fraction rises toward high  $M_{\text{star}}$



Xue et al. (2010)

# Assumption 1: ??

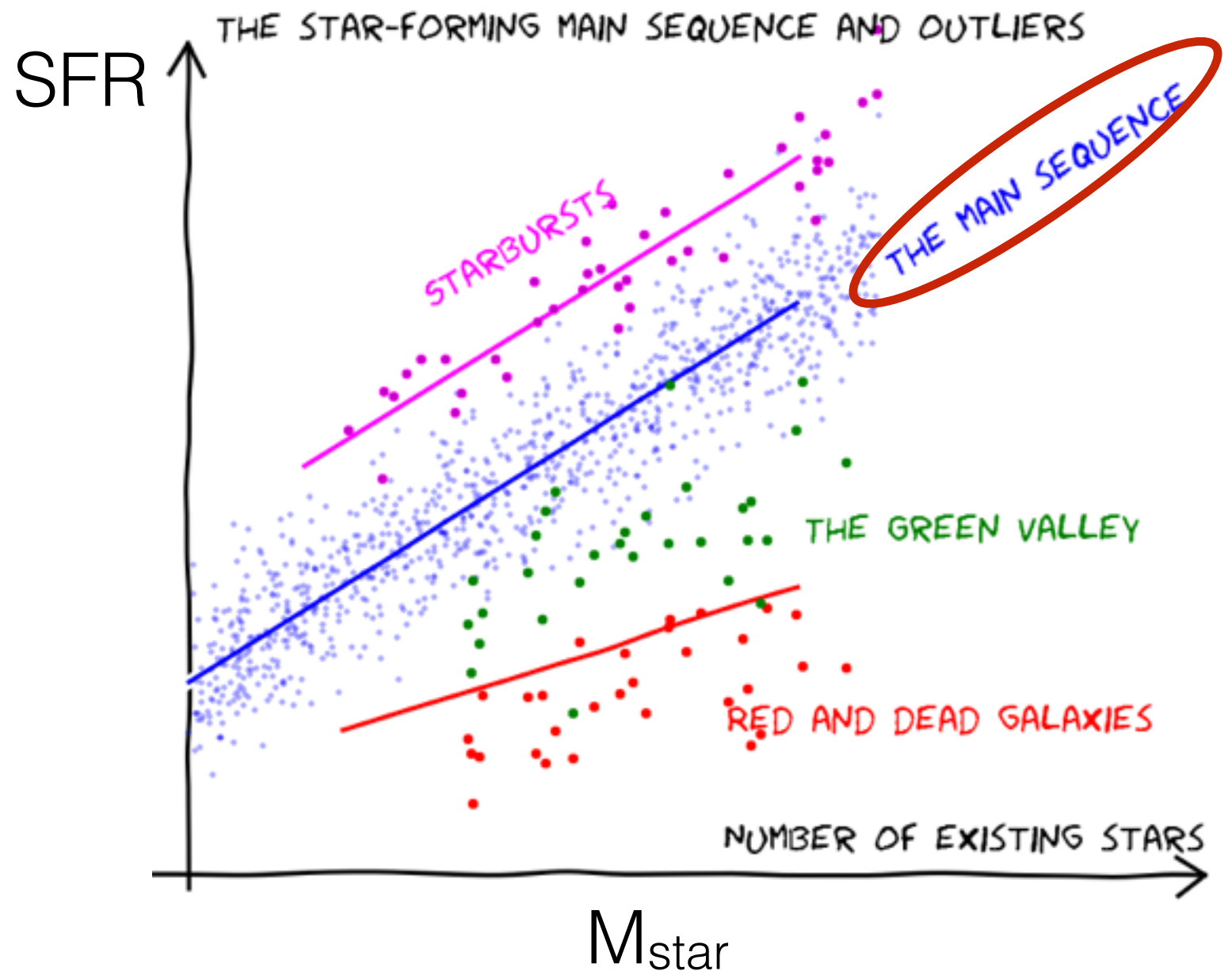
- For mass-matched sample, AGNs do not favor red or blue hosts
- But color might not indicate SFR due to dust reddening



Xue et al. (2010)

# SFR or $M_{\text{star}}$ ?

- Complicated due to **star-formation main sequence** ( $\text{SFR} \propto M_{\text{star}}$ )
- Need to control one variable while studying the other





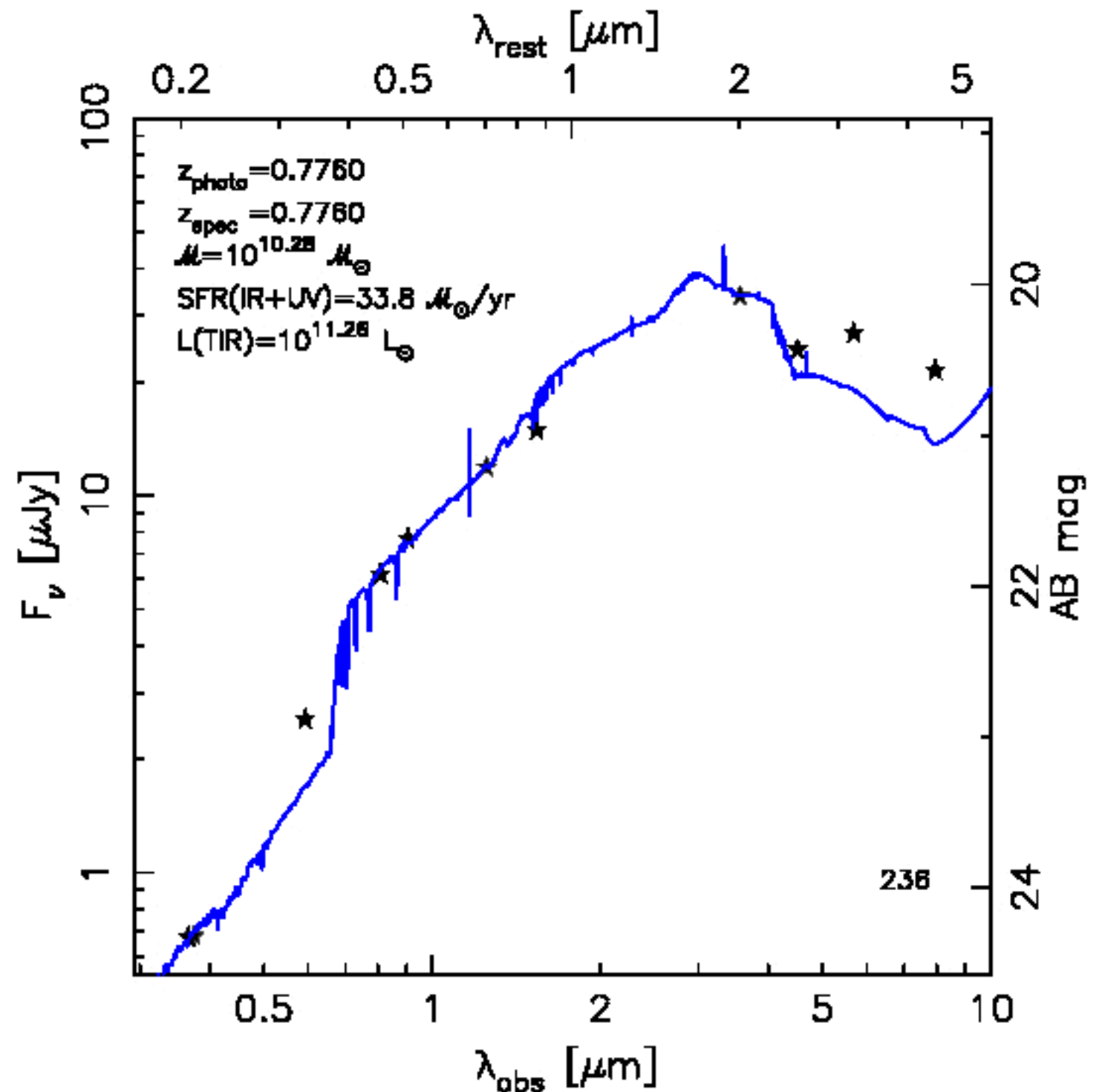
# Our data: CANDELS/GOODS-S

- Multiwavelength coverage (UV to mid-IR) by HST+VLT +...
- $5\sigma$  limit:  $H=28$  mag
- $\sim 35,000$  galaxies in  $170 \text{ arcmin}^2$



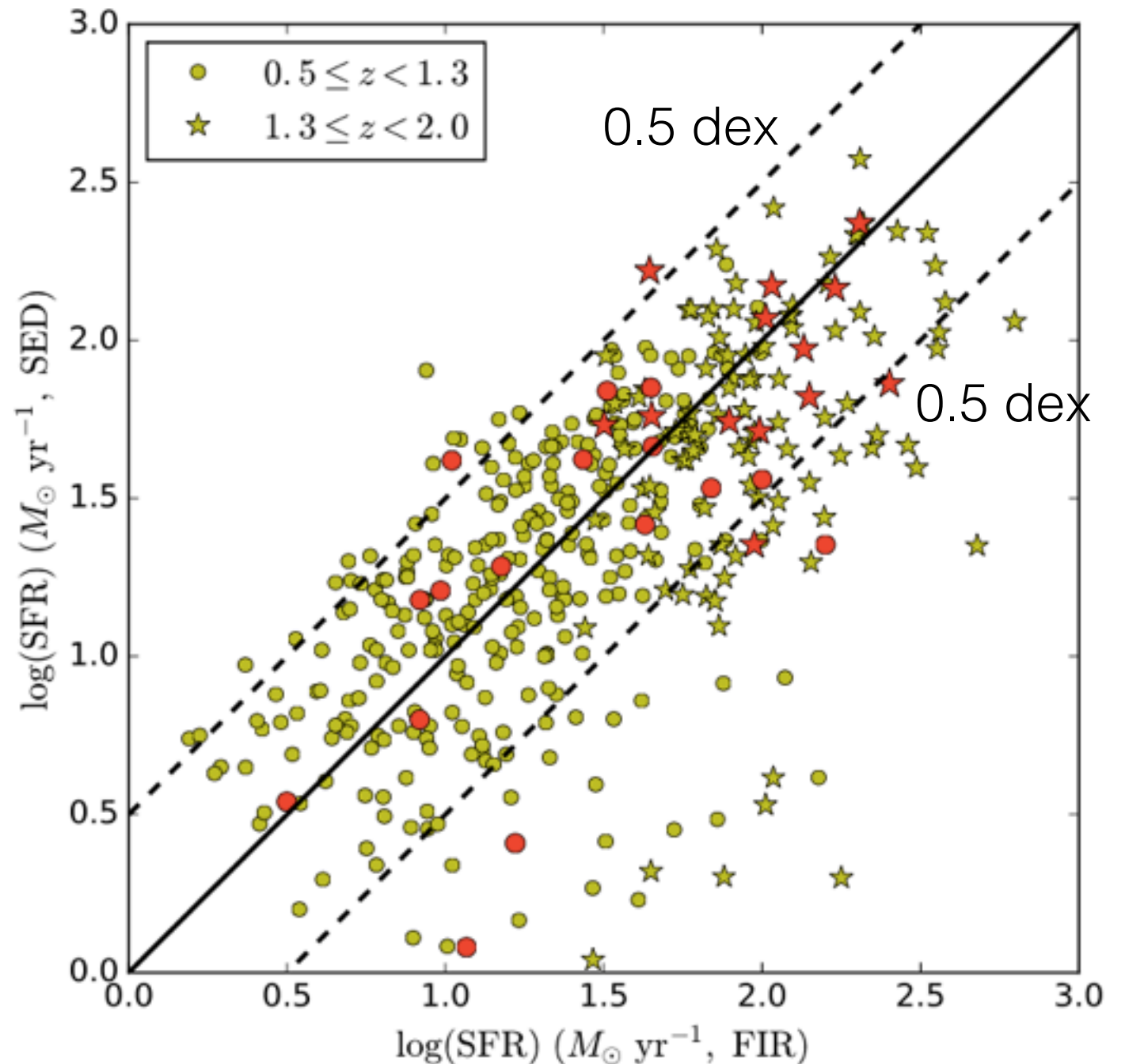
# SFR & $M_{\text{star}}$ from SED fitting

- Performed by independent groups (Santini et al. 2015)
- We use their median SFR and  $M_{\text{star}}$



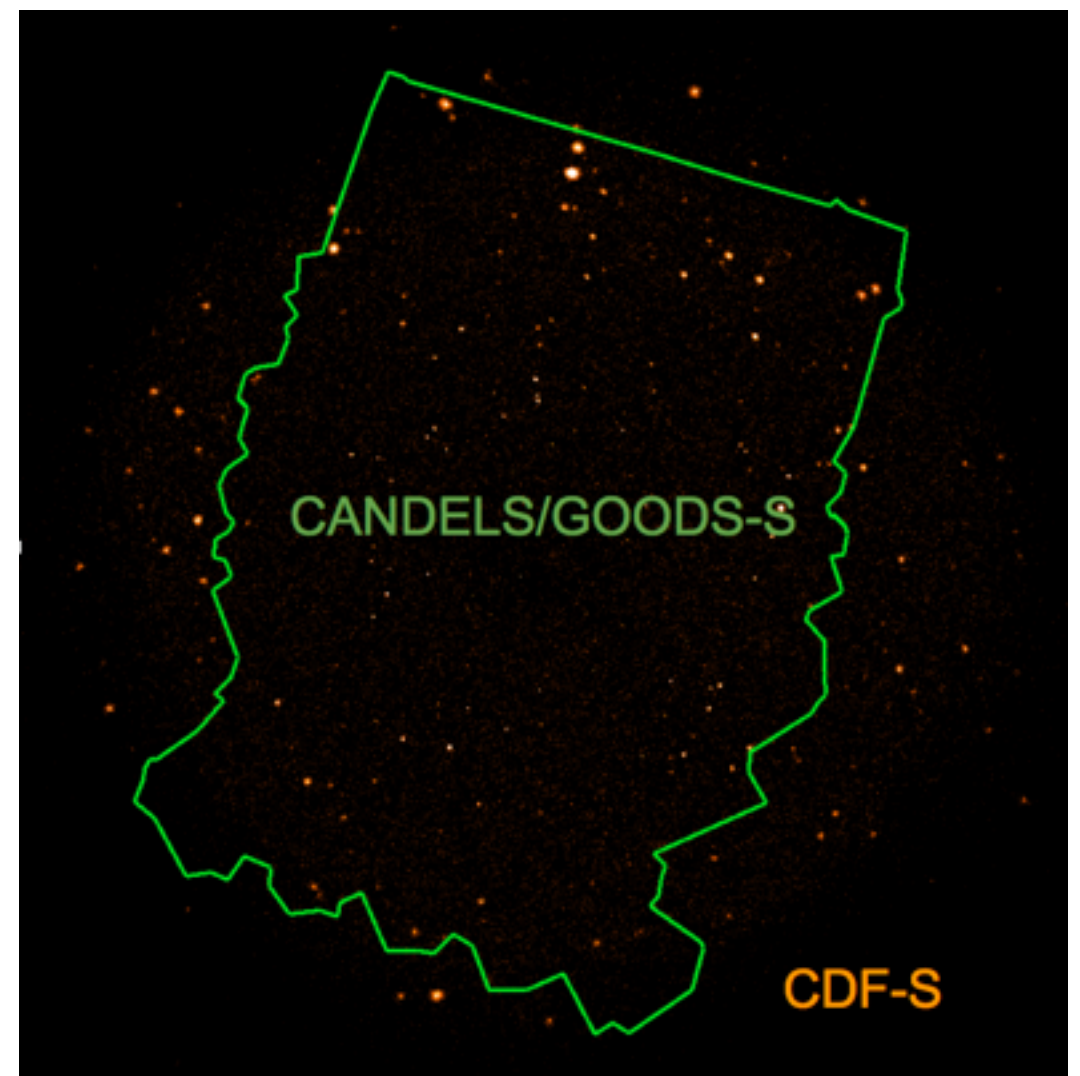
# Compared to FIR-based SFR

- Roughly agree with SFR from Far-IR (*Herschel*)
- AGNs do not have biased SFR



# Our data: 7 Ms CDF-S

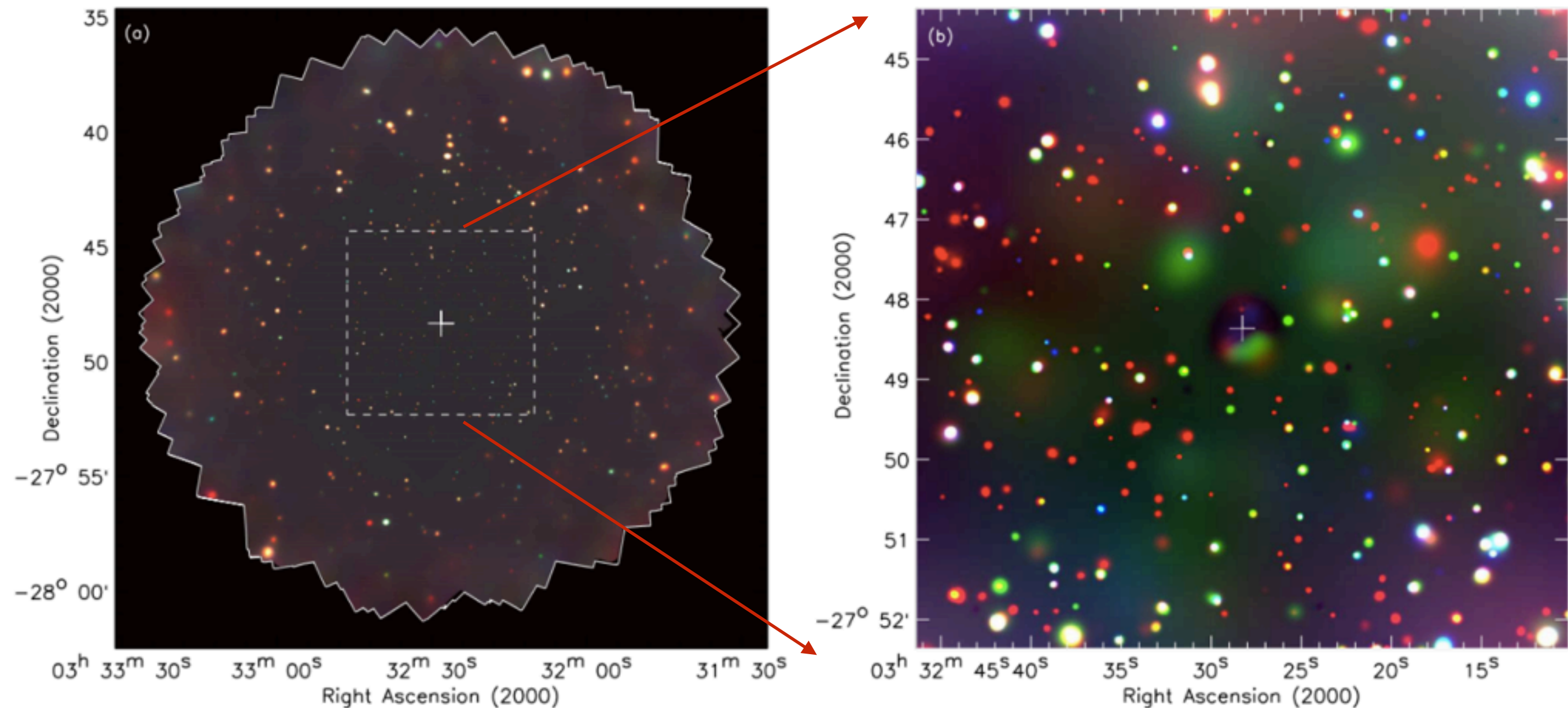
- 7 Ms (80 days!) observations of *Chandra*
- ~1000 X-ray sources (mostly AGNs)
- measure BHAR





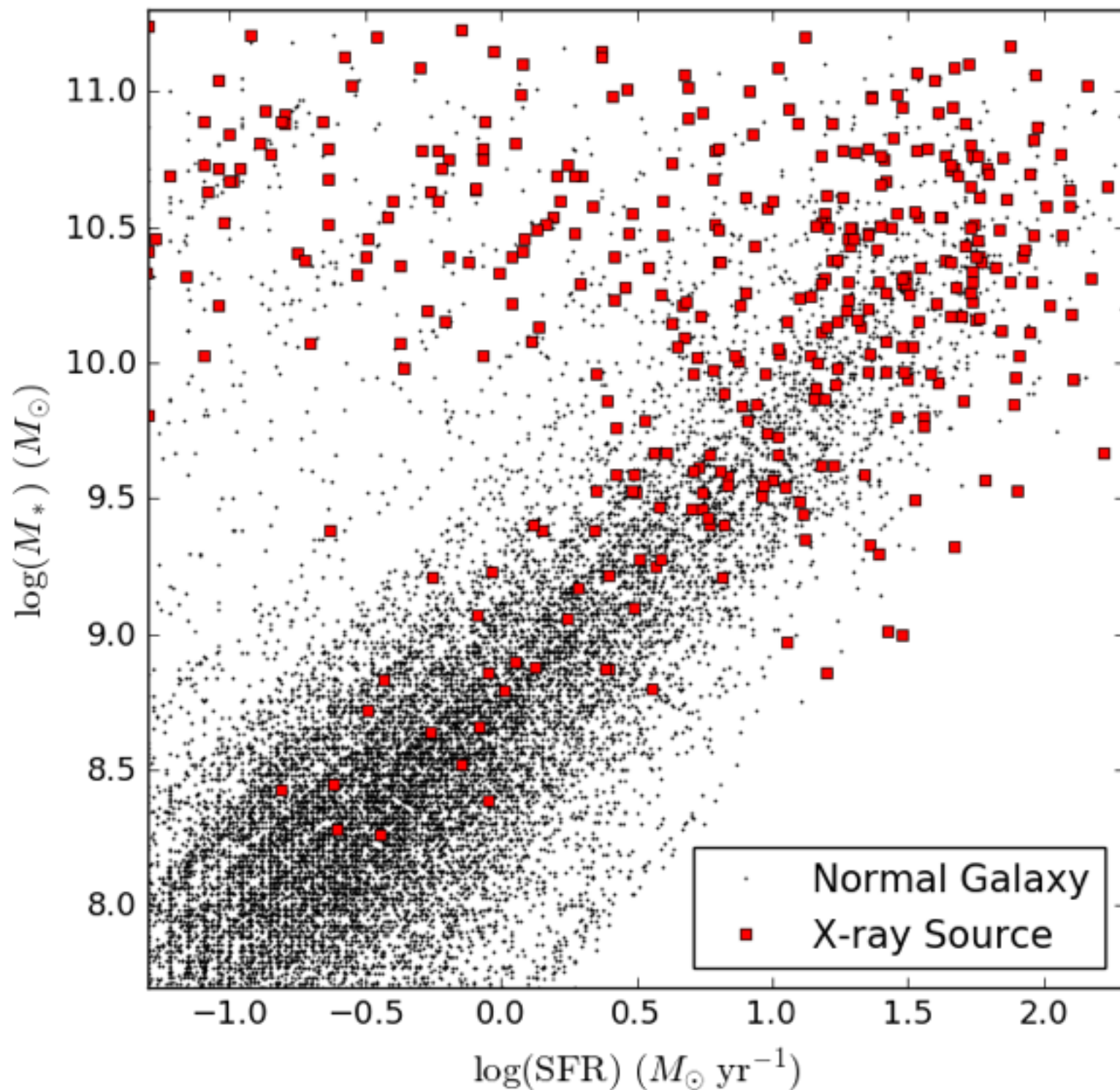
# CDF-S: the deepest X-ray survey

X-ray source density  $\sim 50,000 \text{ deg}^{-2}$





# The $M_{\text{star}}$ -SFR Plane



Most X-ray sources have  
**high  $M_{\text{star}}$ !**

# Measure BHAR

Detected  
(spectral fitting)
Non-detected  
(stacking)
X-ray binaries

$$\langle L_X \rangle = \frac{(\sum_{\text{detect}} L_X) + \frac{N_{\text{non}}}{N_{\text{stack}}} L_{X,\text{stack}} - \sum_{\text{all}} L_{X,\text{XRB}}}{N_{\text{detect}} + N_{\text{non}}}$$

$$\begin{aligned} \langle \text{BHAR} \rangle &= \frac{(1 - \epsilon) k_{\text{bol}} \langle L_X \rangle}{\epsilon c^2} \\ &= \frac{3.53 \langle L_X \rangle}{10^{45} \text{ erg s}^{-1}} M_{\odot} \text{ yr}^{-1} \end{aligned}$$

Sample-mean  $\langle \text{BHAR} \rangle$   
 to approximate long-term average BHAR

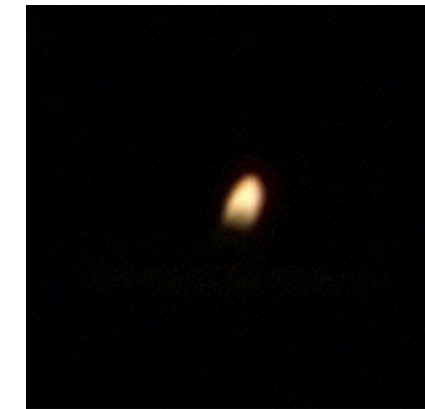
# Stacking



3/100 sec exposure



1/1000 sec exposure



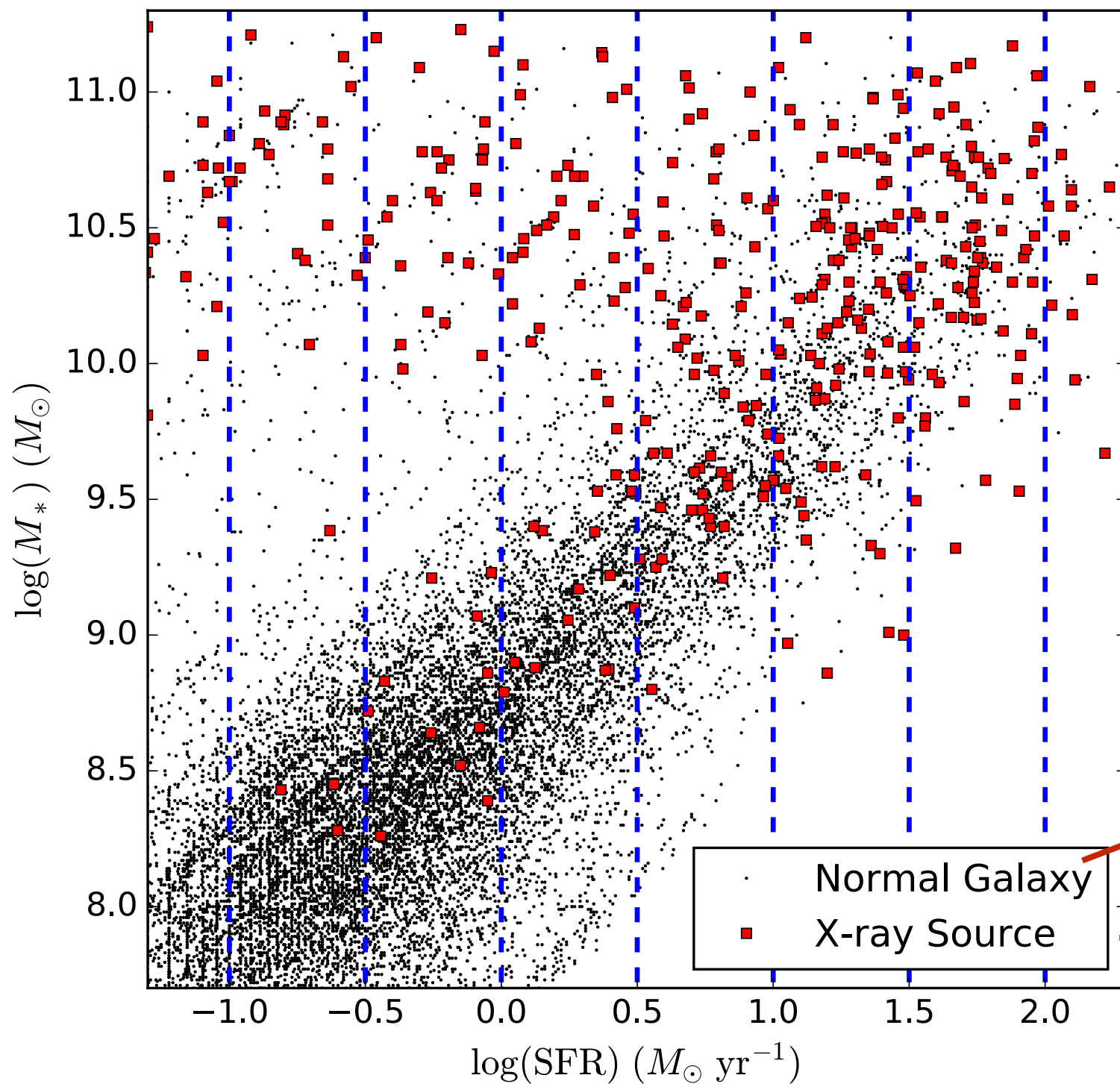
Courtesy of Bret Lehmer



Stacked image of 30 candles with 1 / 1000 sec exposure.

Effective stacked exposure of  $(30 \times 1 / 1000 \text{ sec}) = 3 / 100 \text{ sec}$ .

# BHAR vs SFR

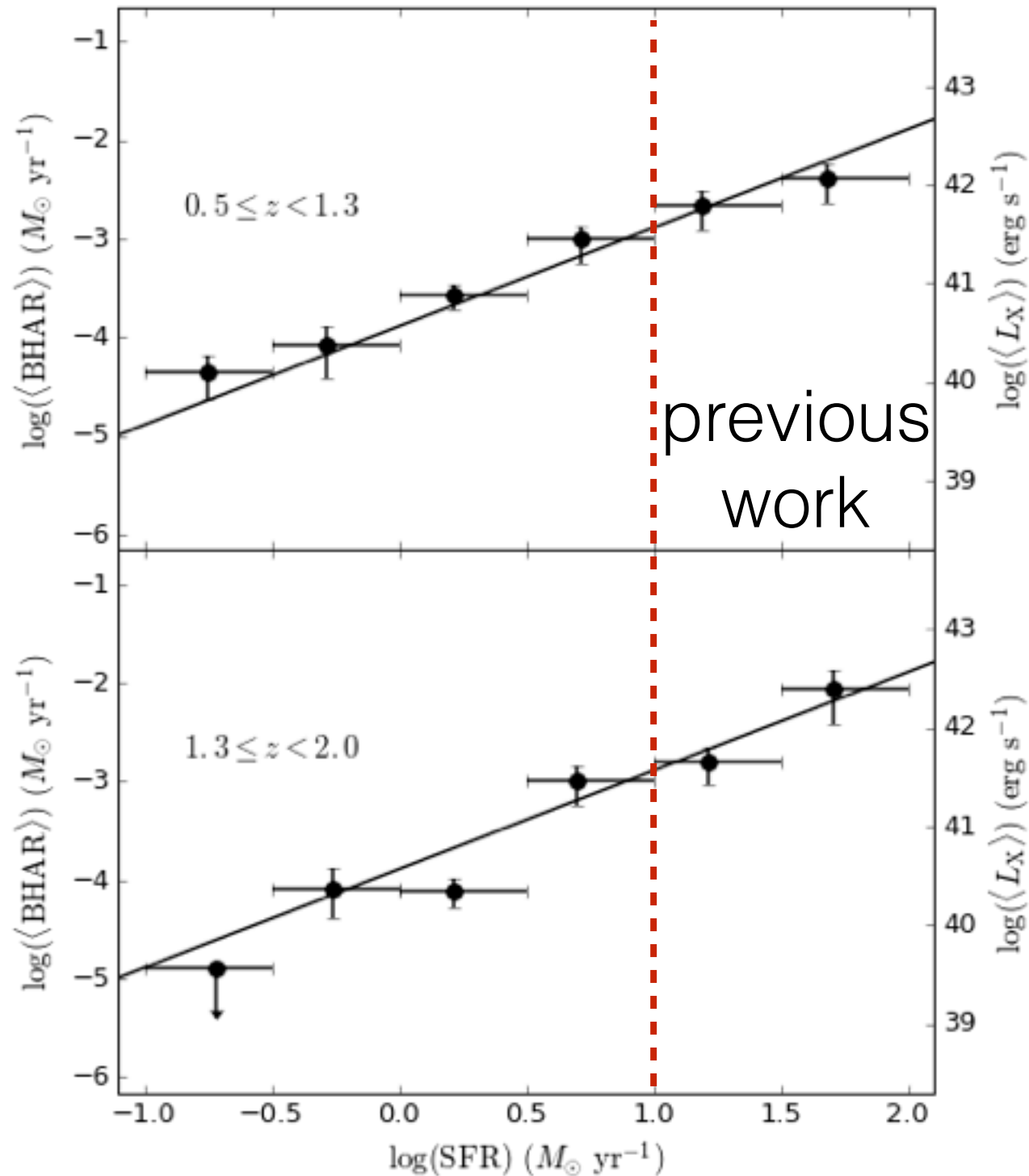


For each bin we  
calculate  $\langle \text{BHAR} \rangle$

Stacking

Spectral fitting

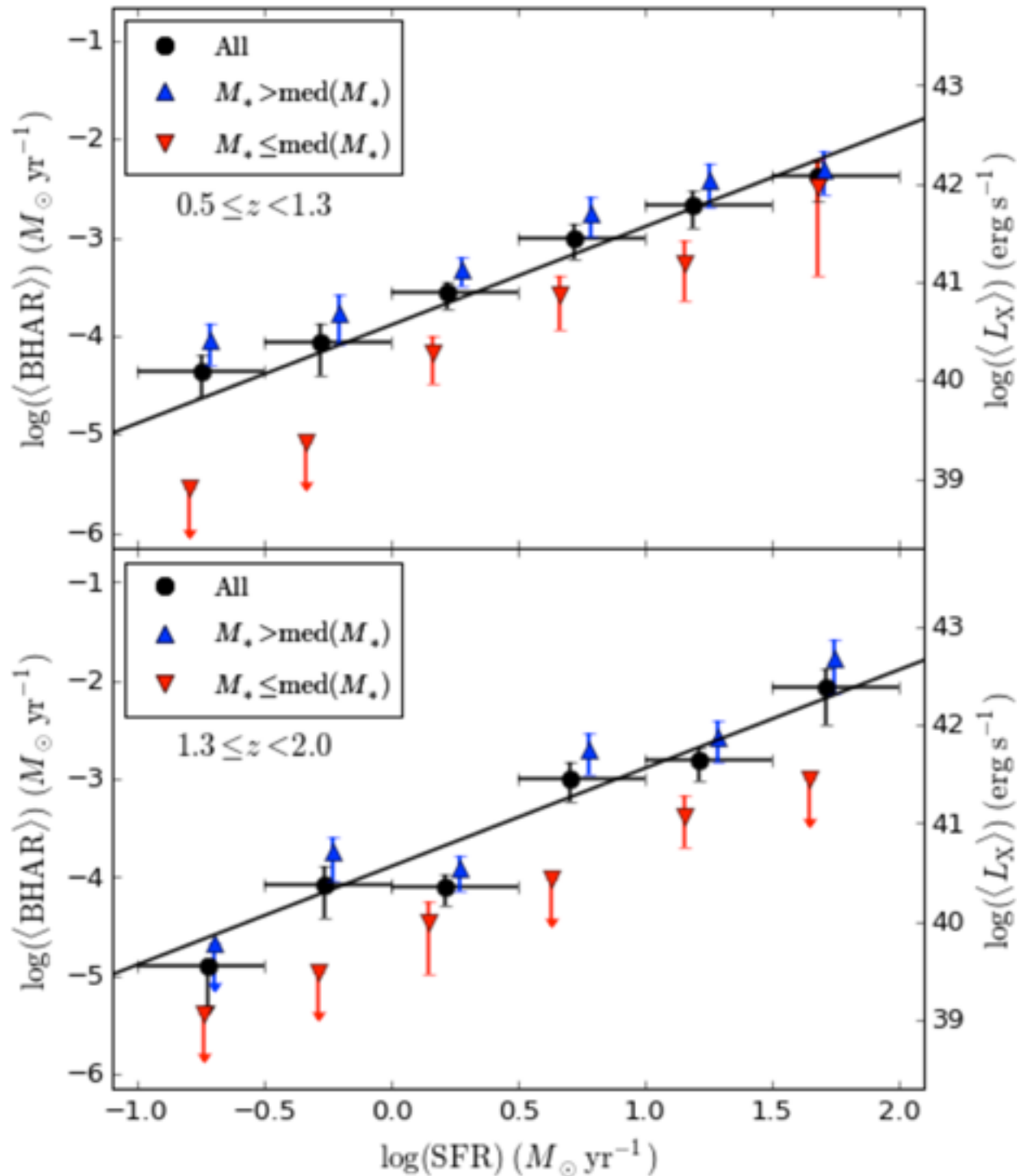
# BHAR vs SFR



- $\langle \text{BHAR} \rangle$ -SFR relation fitted well by **linear model** (slope=1) down to  $\text{SFR} \sim 0.1 M_{\text{sun}}/\text{yr}$
- Hickox's model is correct?



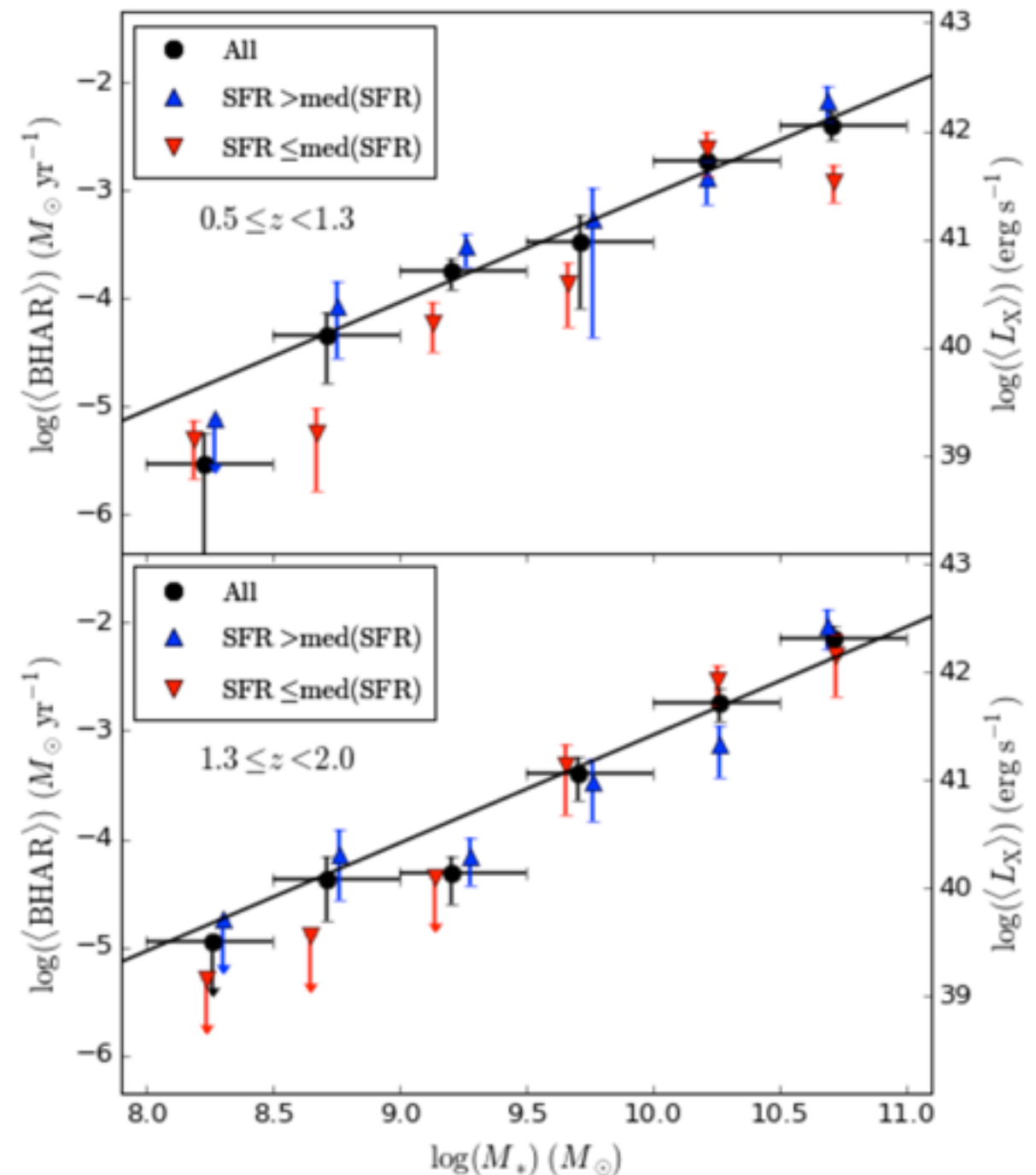
# BHAR vs SFR



- But for SFR-controlled samples, massive galaxies have higher  $\langle \text{BHAR} \rangle$
- Hickox's model is unlikely correct!

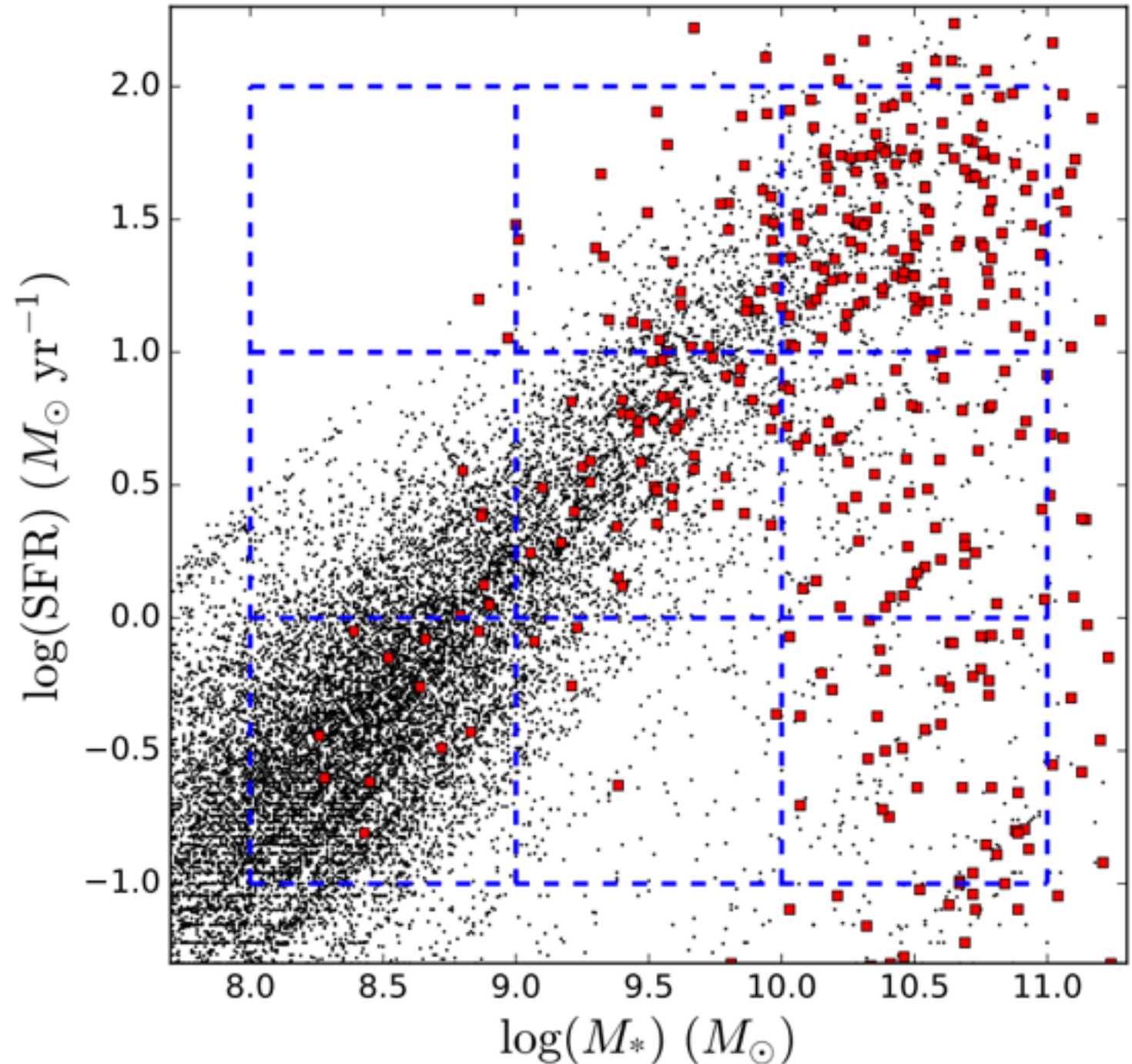
# BHAR vs. $M_{\text{star}}$

- $\langle \text{BHAR} \rangle$ - $M_{\text{star}}$  relation can also be fitted well by a linear model
- For  $M_{\text{star}}$ -controlled samples, **high-SFR sources have similar  $\langle \text{BHAR} \rangle$  compared to low-SFR ones**



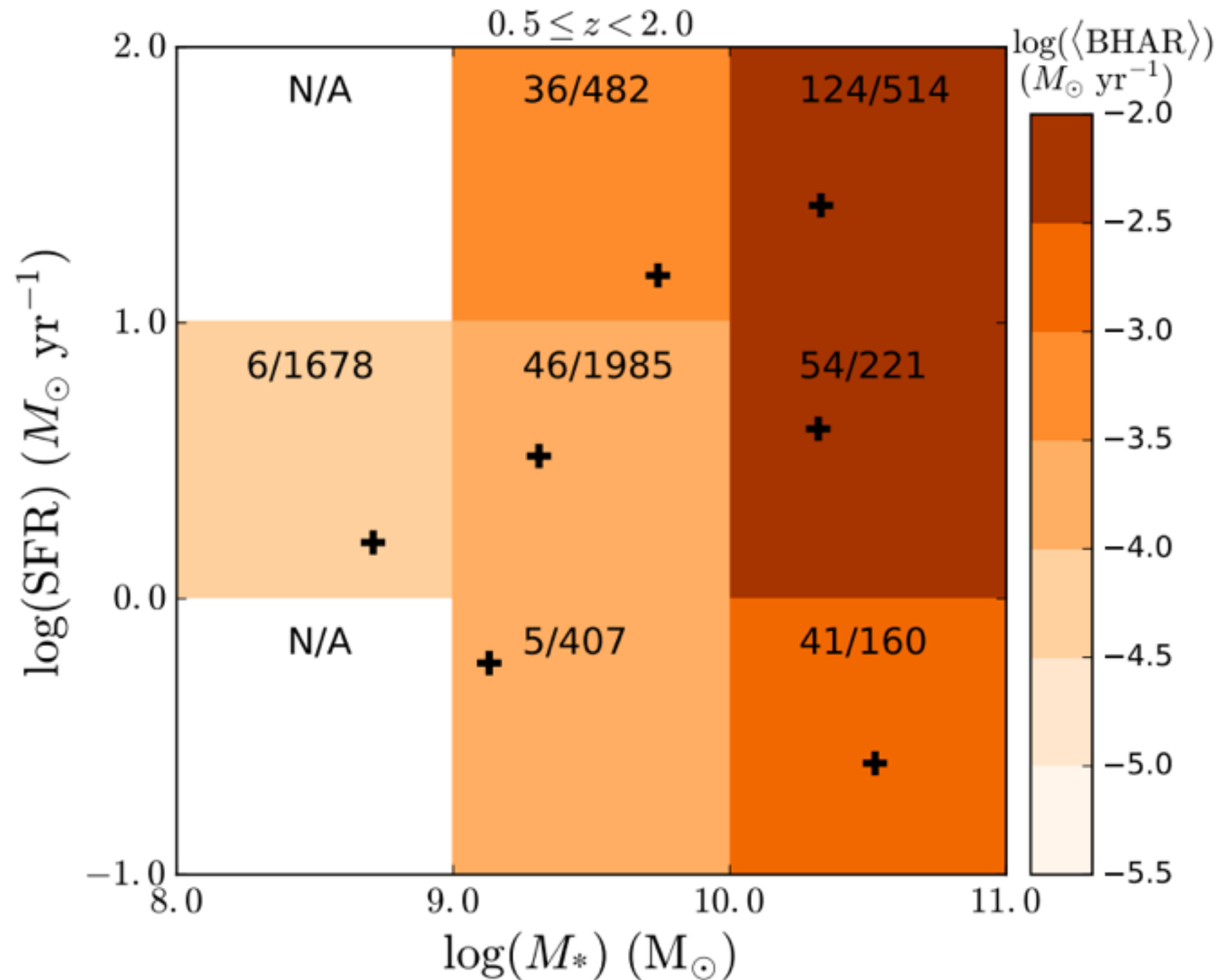
# Quantitative Analyses

- $M_{\text{star}}$  -SFR grids
- Calculate  $\langle \text{BHAR} \rangle$  for each bin



# Quantitative Analyses

**Massive galaxies have higher  $\langle \text{BHAR} \rangle$  regardless of SFR**

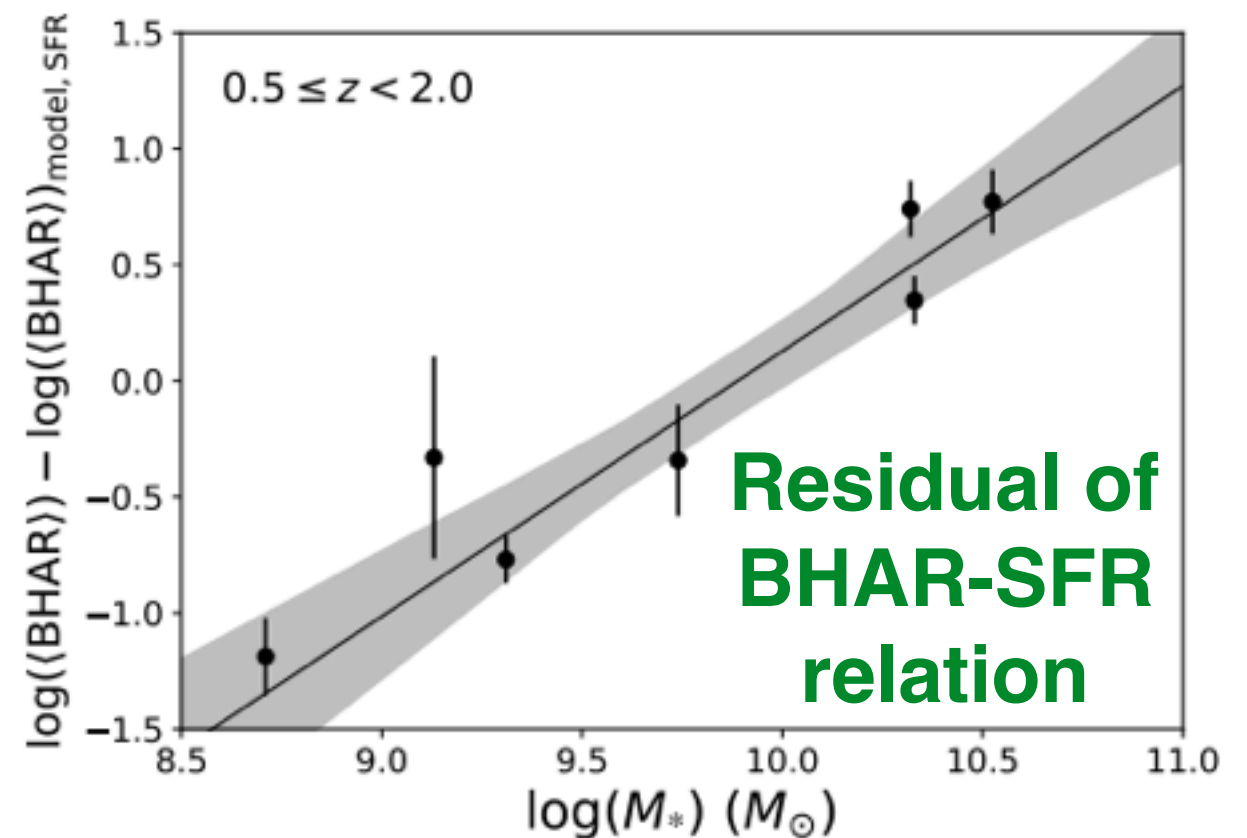
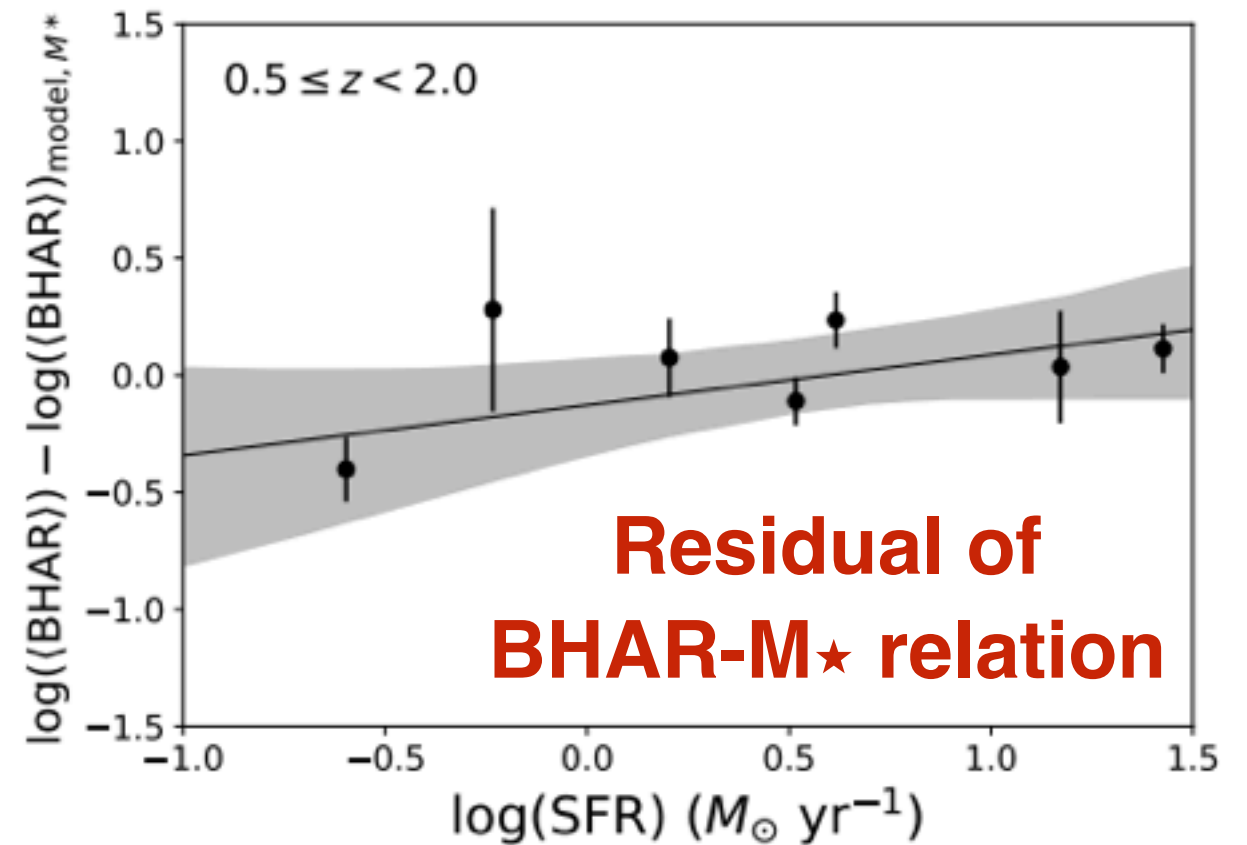


## Partial correlation analyses:

**<BHAR>-SFR:  $1\sigma$**

**<BHAR>- $M_\star$ :  $8\sigma$**

**$M_\star$  is the driving factor for black-hole growth**



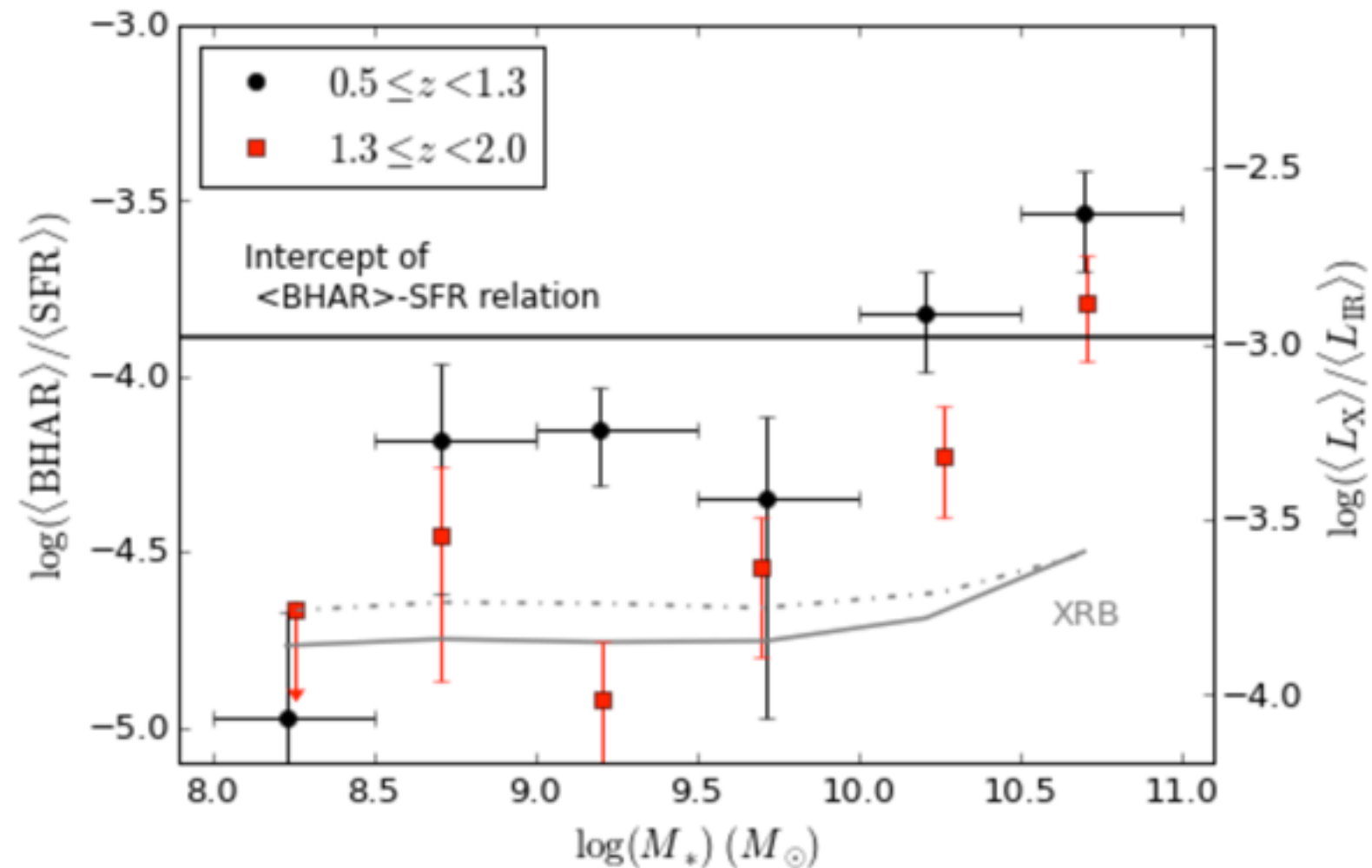


# Monsters mostly grow in massive hosts!

- Black-hole growth is mainly linked to  $M_{\text{star}}$  rather than SFR
- $\langle \text{BHAR} \rangle / M_{\text{star}} \sim 10^{-13} \text{ yr}^{-1}$
- The observed  $\langle \text{BHAR} \rangle$ -SFR relation is likely a secondary effect

# BHAR/SFR

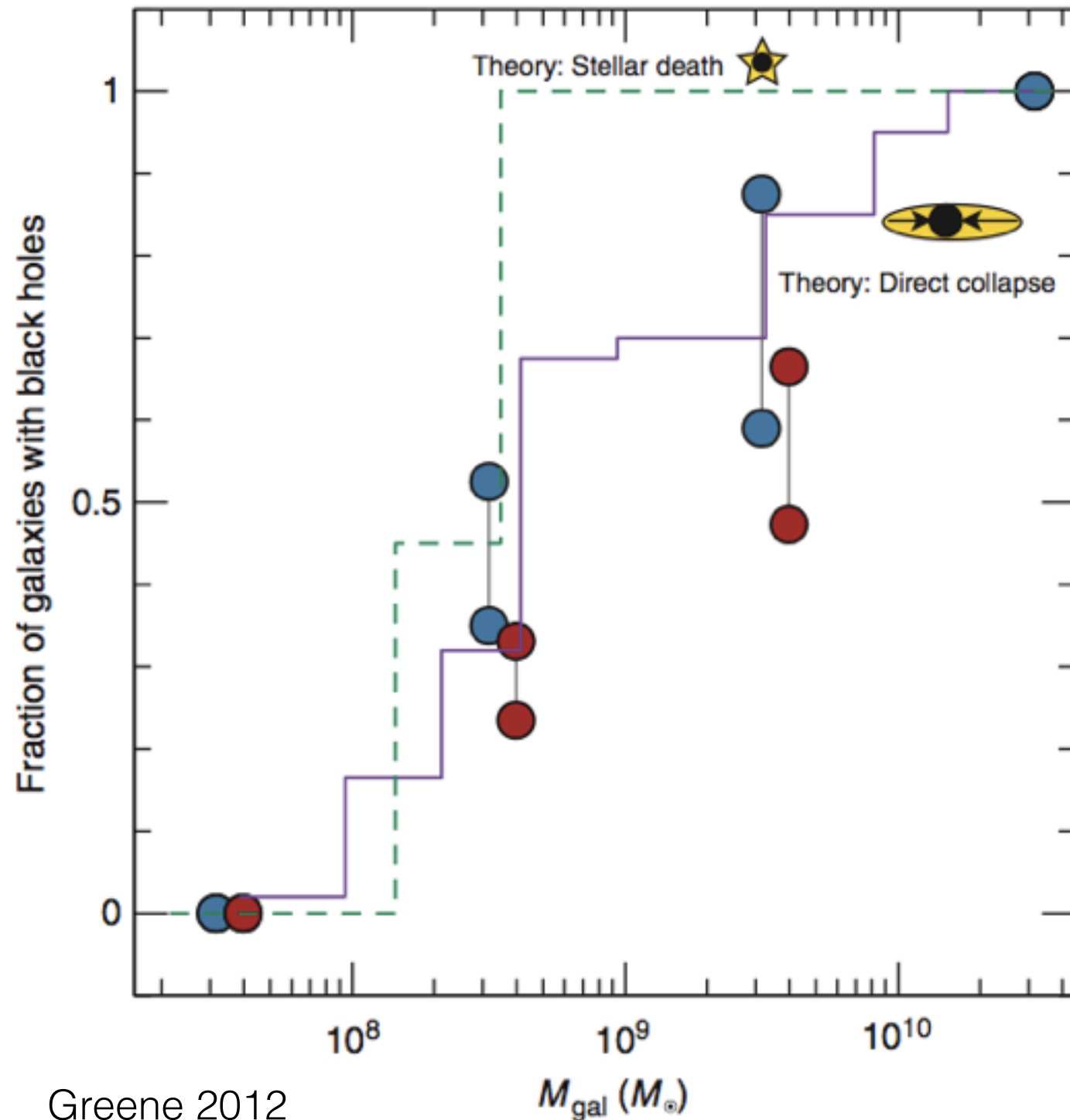
- $\langle \text{BHAR} \rangle / \langle \text{SFR} \rangle$  depends on  $M_{\text{star}}$
- In massive galaxies, black holes accrete gas more effectively



# Possible Causes

- Massive galaxies have deeper gravitational potential well (Bellovary et al. 2013; Dubois et al. 2015)
- Some low-mass galaxies might not have SMBHs at all (Volonteri 2010; Miller et al. 2015)

# BH occupation fraction



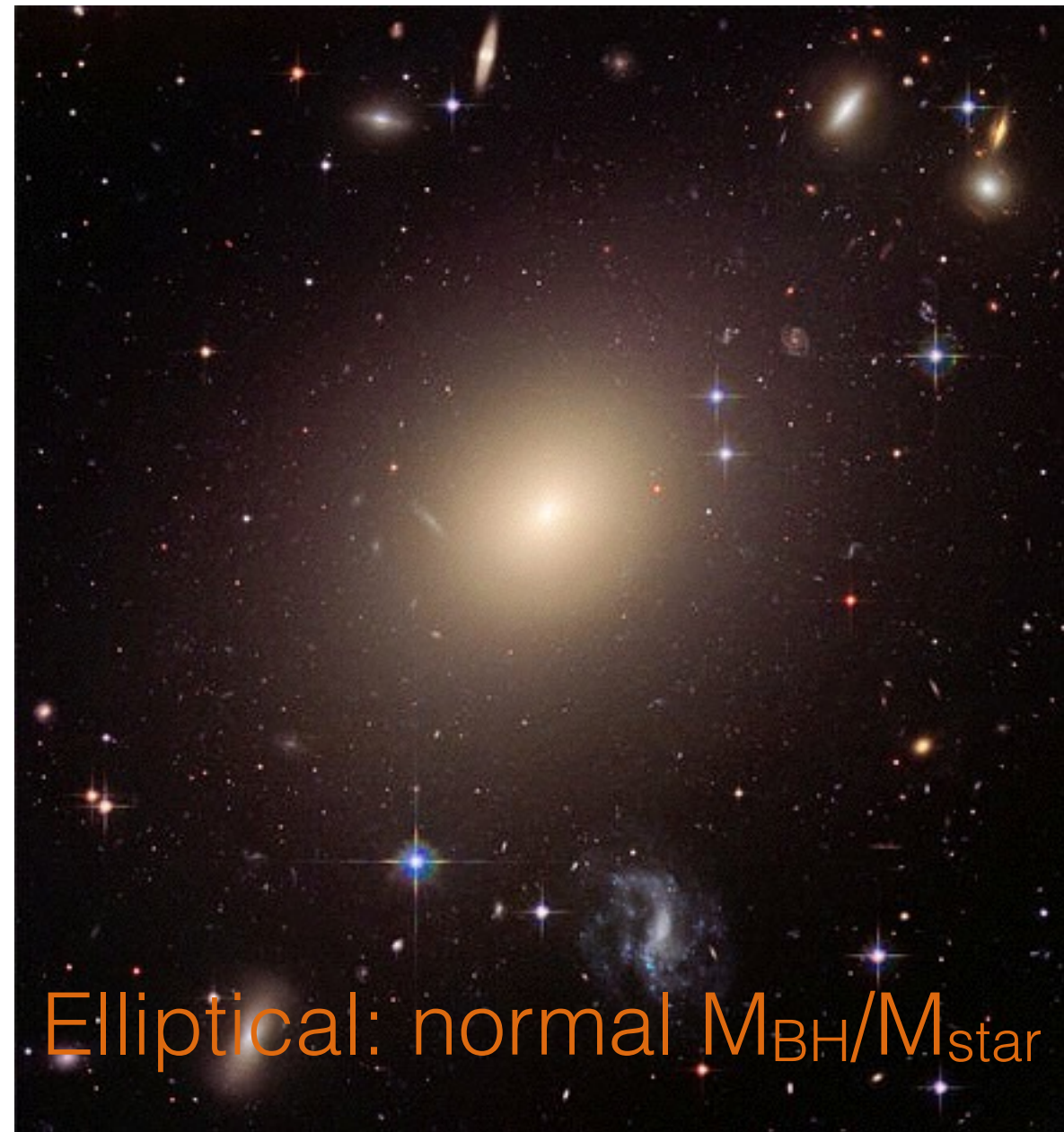
Theories predict occupation fraction **drops** toward low  $M_{\text{star}}$

# SMG to Giant Elliptical



Credit: X-ray: NASA/CXC/IoA/D.Alexander et al.; Illustration: NASA/CXC/M.Weiss

$$\begin{aligned}\frac{M_{\text{BH}}(t_0)}{M_*} &\approx \frac{(t_2 - t_0)\text{BHAR}}{M_*} \quad (\text{elliptical}) \\ &\approx 10 \text{ Gyr} \times 10^{-13} \text{ yr}^{-1} \\ &\approx 10^{-3}.\end{aligned}$$



Credit: Wikipedia



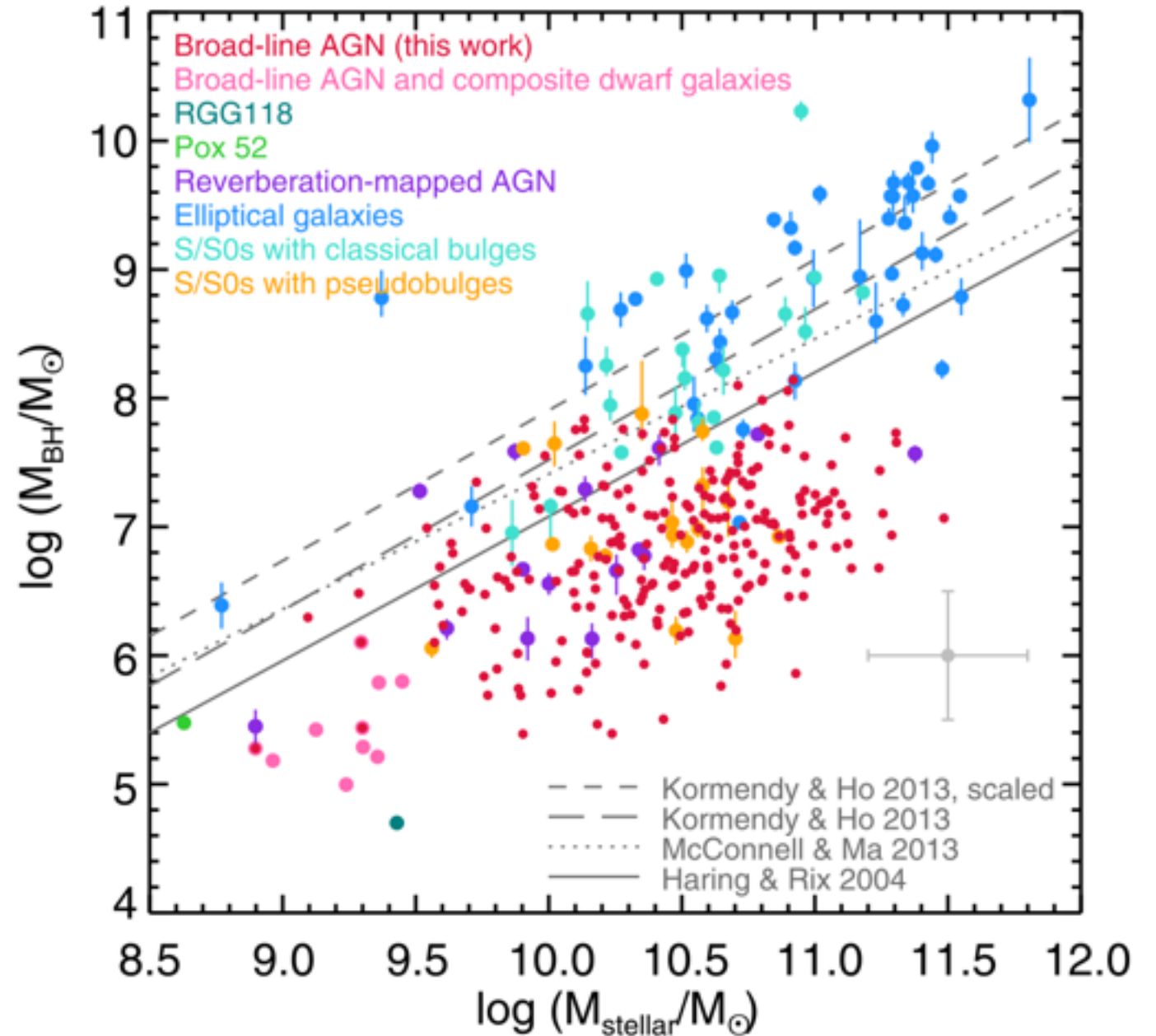
# Star Forming Galaxies

$$\frac{M_{\text{BH}}(t_0)}{M_*(t_0)} \approx \frac{\int_{t_2}^{t_0} \text{BHAR}(t) dt}{\int_{t_2}^{t_0} \text{SFR}(t) dt} \quad (\text{star-forming})$$

$$\sim \frac{\text{BHAR}}{\text{SFR}}$$

$$\sim 10^{-4.5} - 10^{-3.5}, \quad (\text{M}_{\text{star-dependent}})$$

Lower than  $M_{\text{BH}}/M_{\text{star}}$  in  
giant ellipticals



# Summary

- Observationally  $\langle \text{BHAR} \rangle$  is proportional to both SFR and  $M_{\text{star}}$
- Intrinsically,  $\langle \text{BHAR} \rangle$  is **mainly linked to  $M_{\text{star}}$**  rather than SFR.
- Massive galaxies have higher  $\langle \text{BHAR} \rangle / \langle \text{SFR} \rangle$ , they grow their black hole more efficiently.